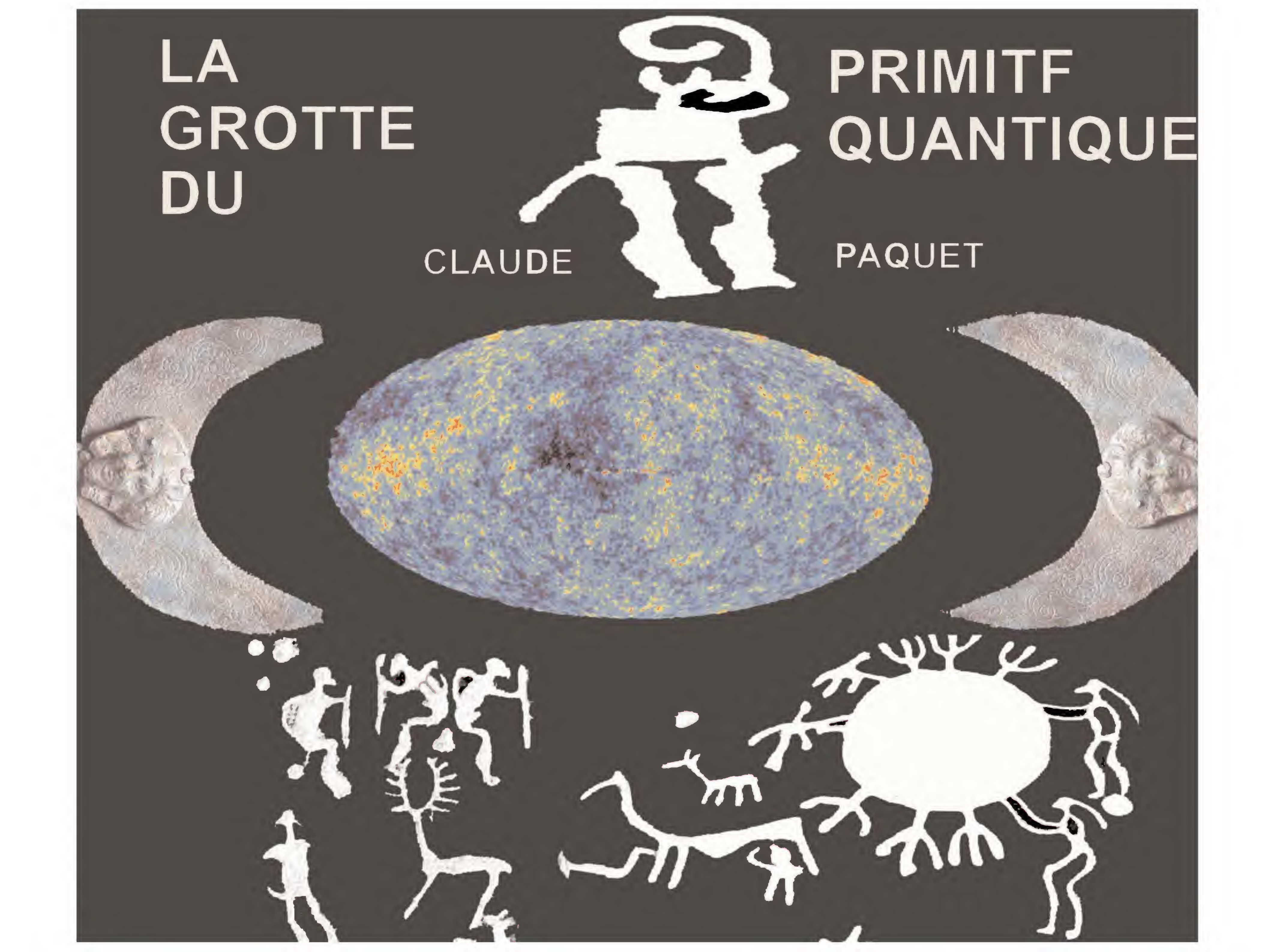
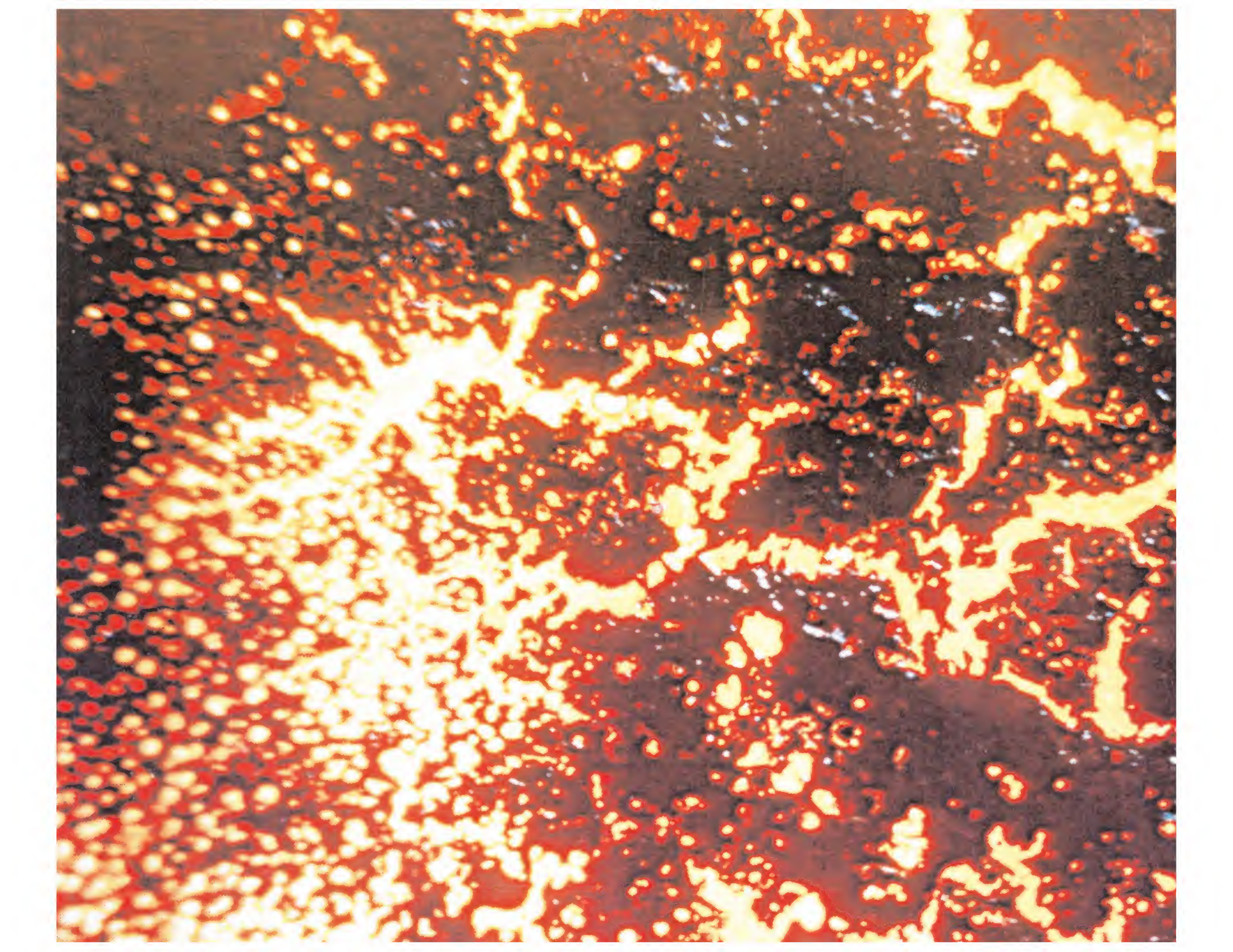
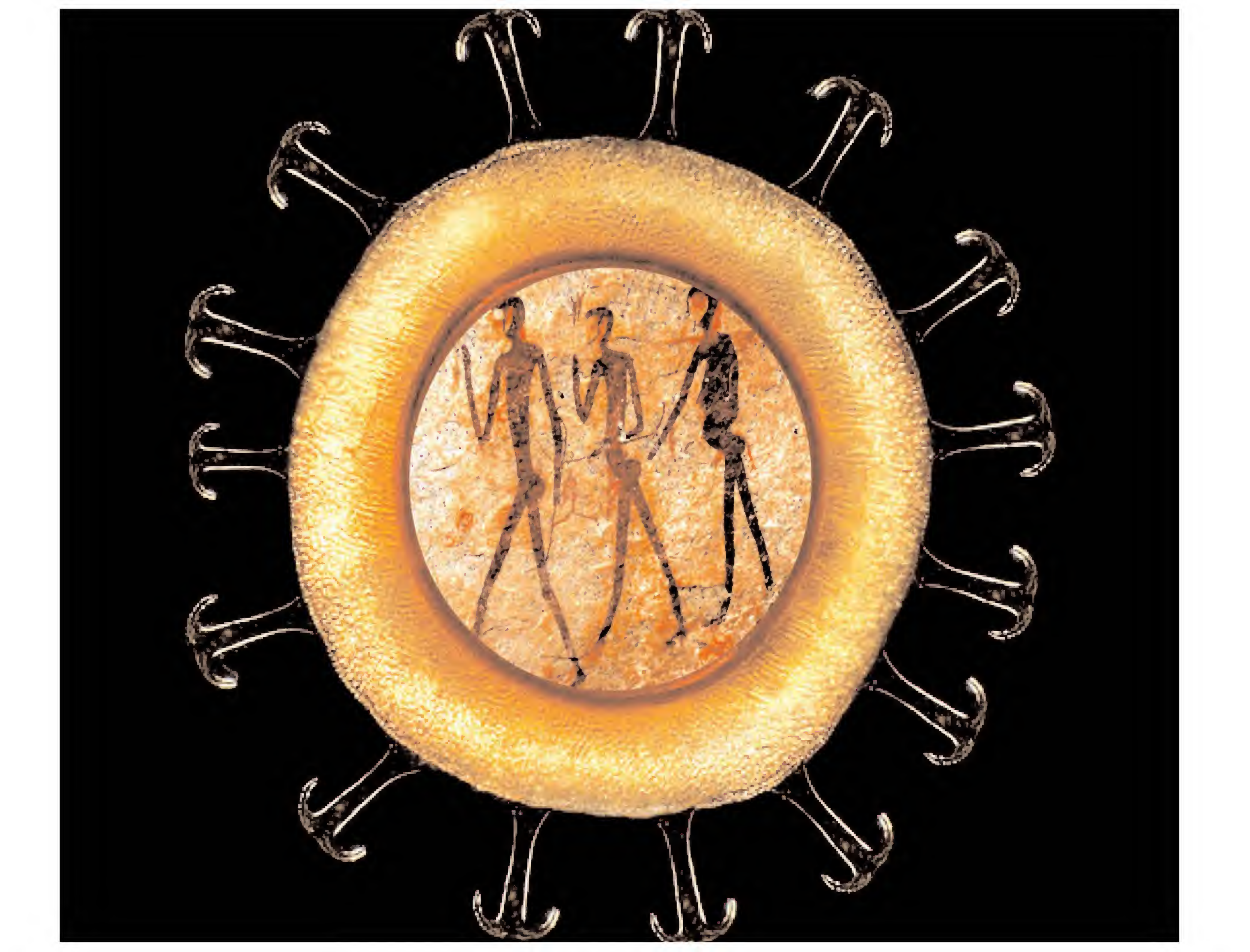
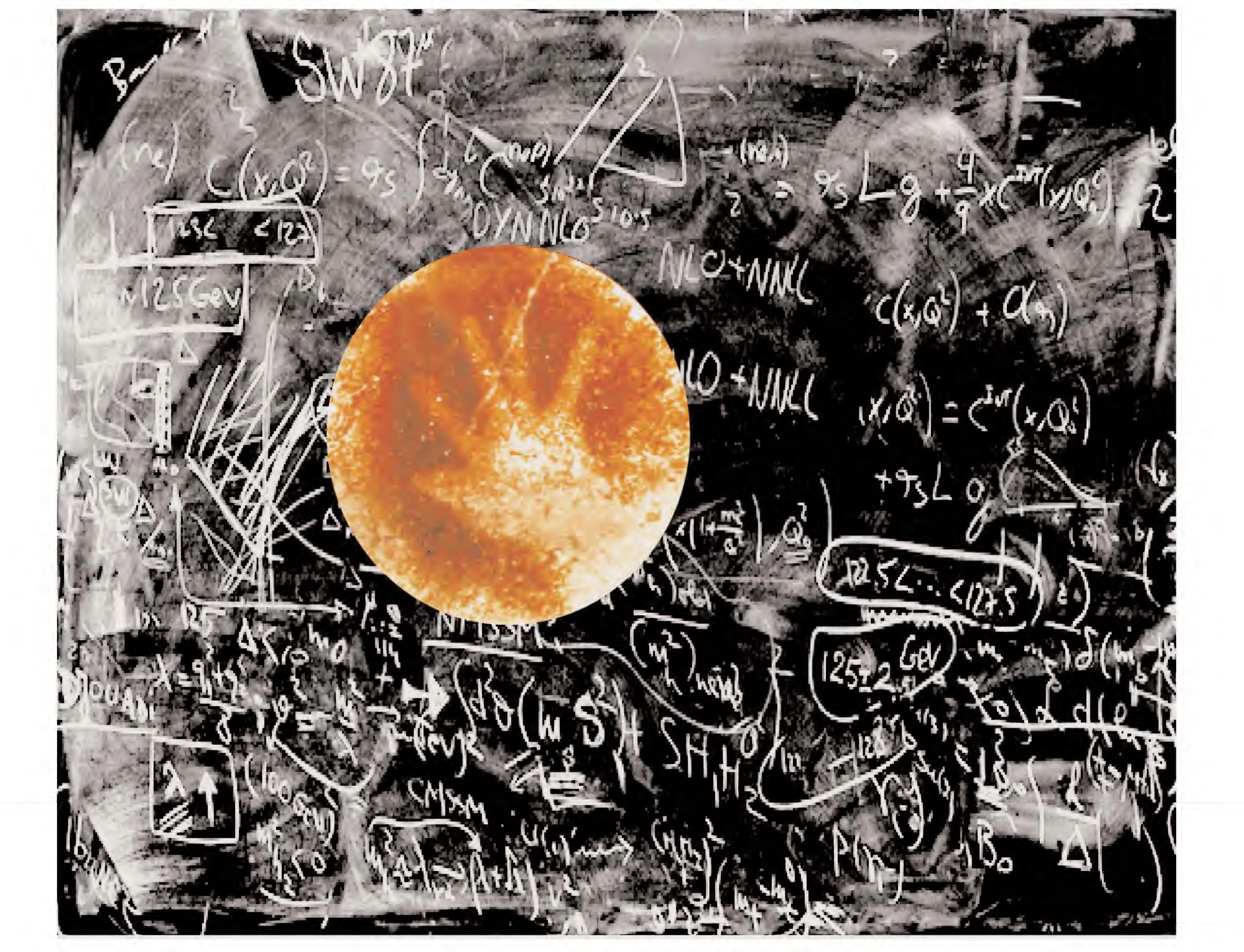

LA
GROTTE
DU
PRIMITF
QUANTIQUE
CLAUDE
PAQUET








DYNNLO
NLO+NNLL
125 GeV

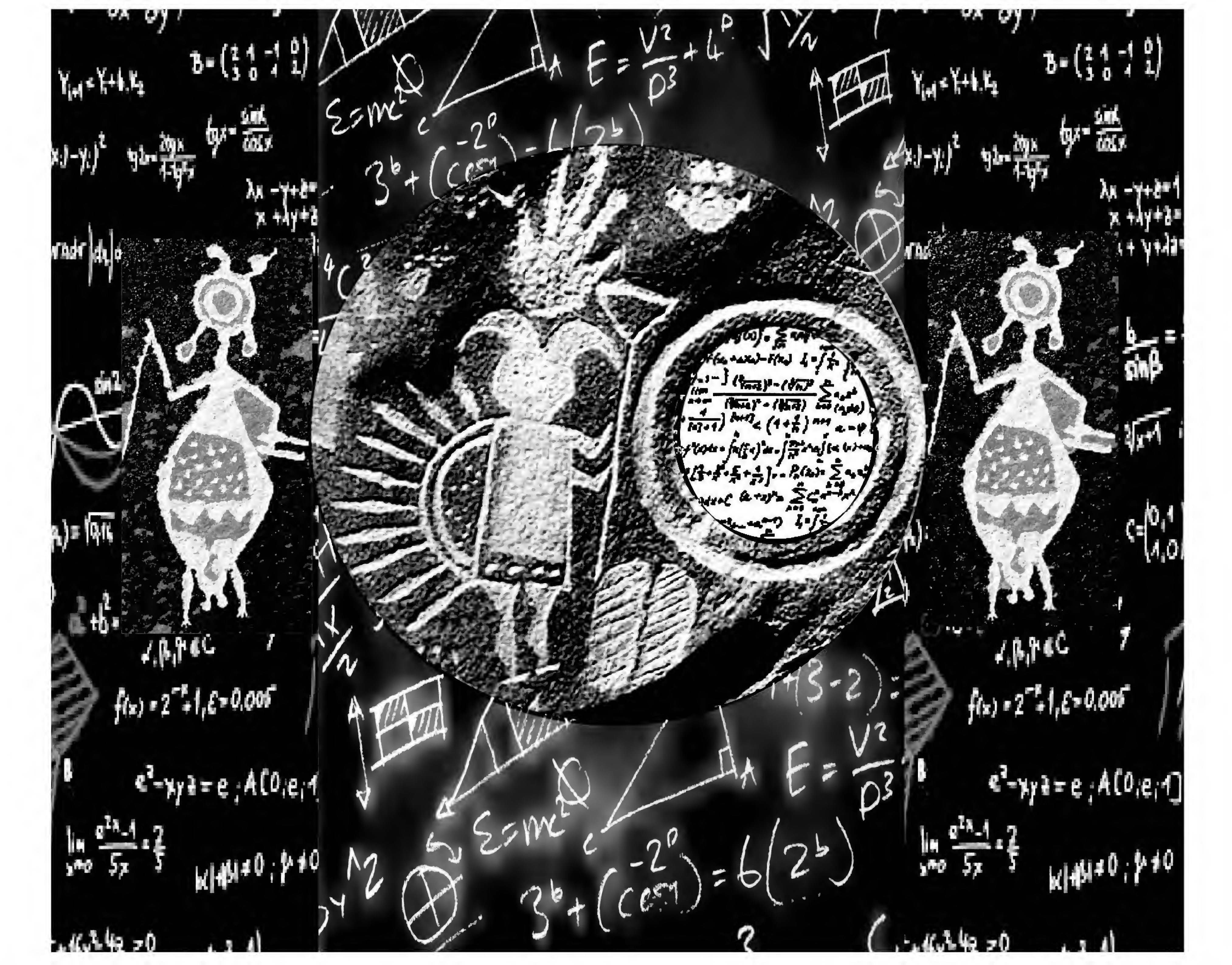


SW87
DYNNLO
NNLO
NNLO
125±2 GeV

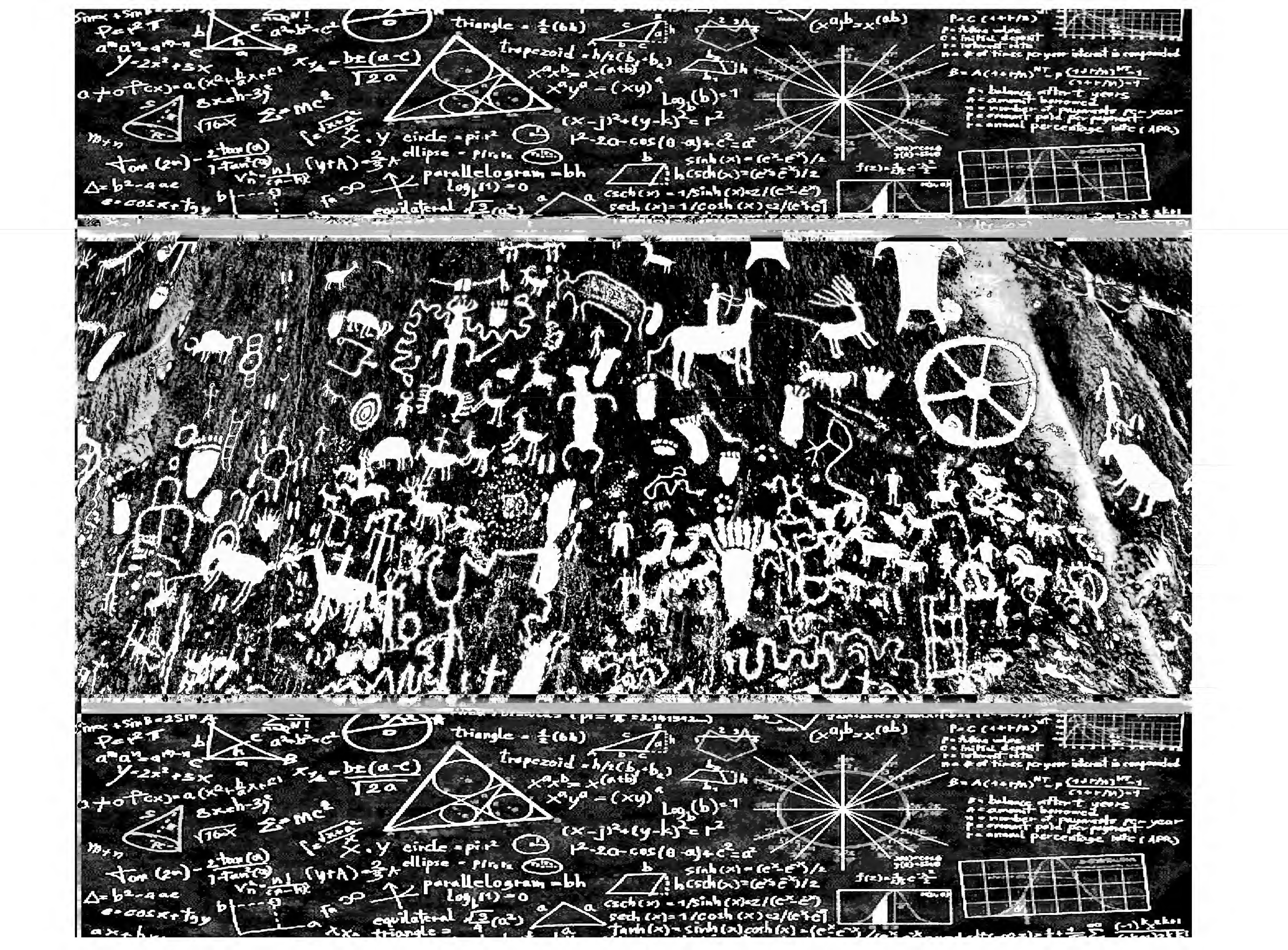




$(a+b)^2=a^2+2ab+b^2$
square = $a^2$
rectangle = ab
$a^2-b^2=(a+b)(a-b)$
Area Formulas (pi = π = 3.141592...)
triangle = $\frac{1}{2}$(bh)
trapezoid = h/2($b_1$+$b_2$)
$y=2x^2+3x$
$H_2O$
$CO_2$



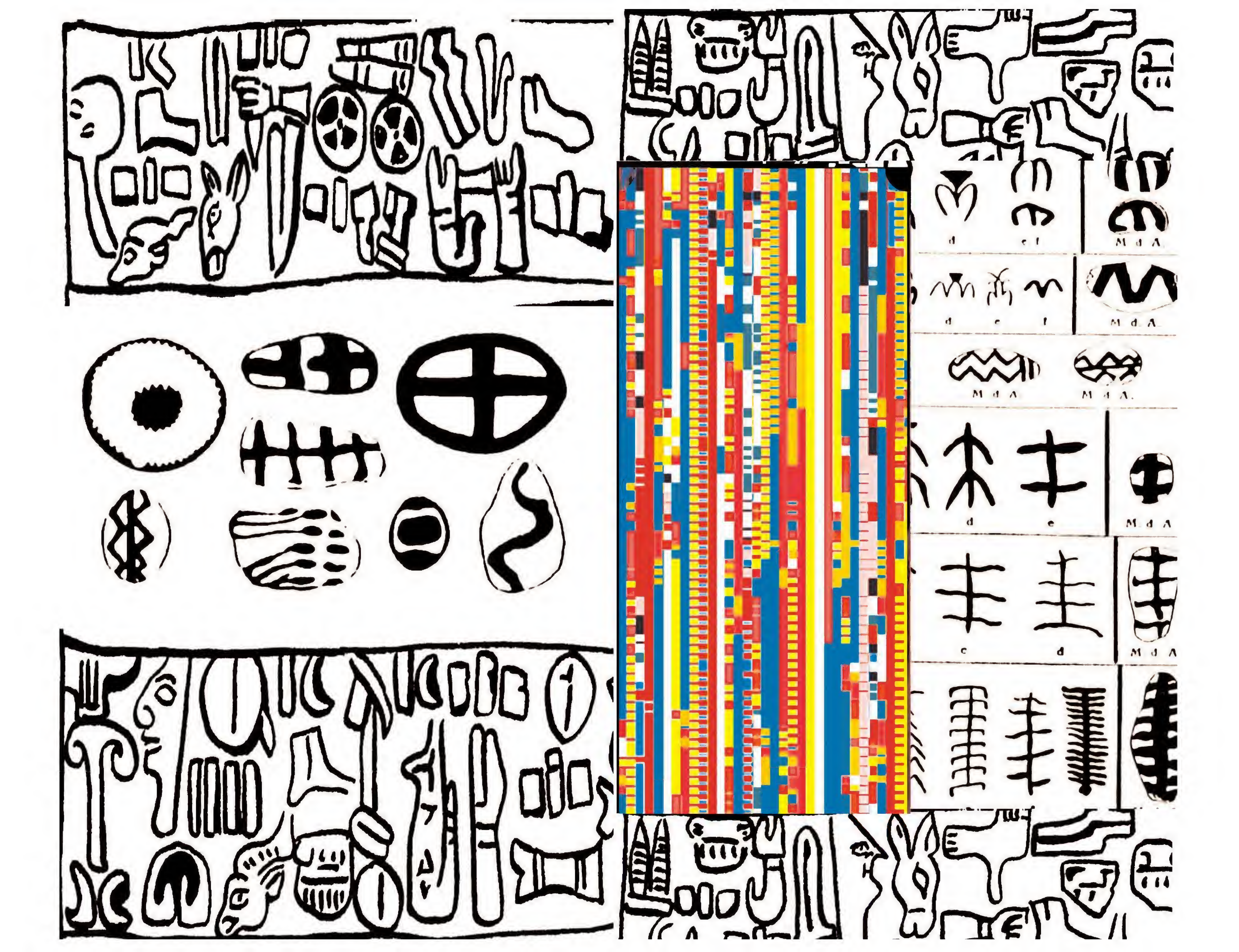
E = V2/D3 + 4P
ε=mc2
3b+(-2P/cos)=6(2b)
f(x) = 2-x+1, ε=0,005

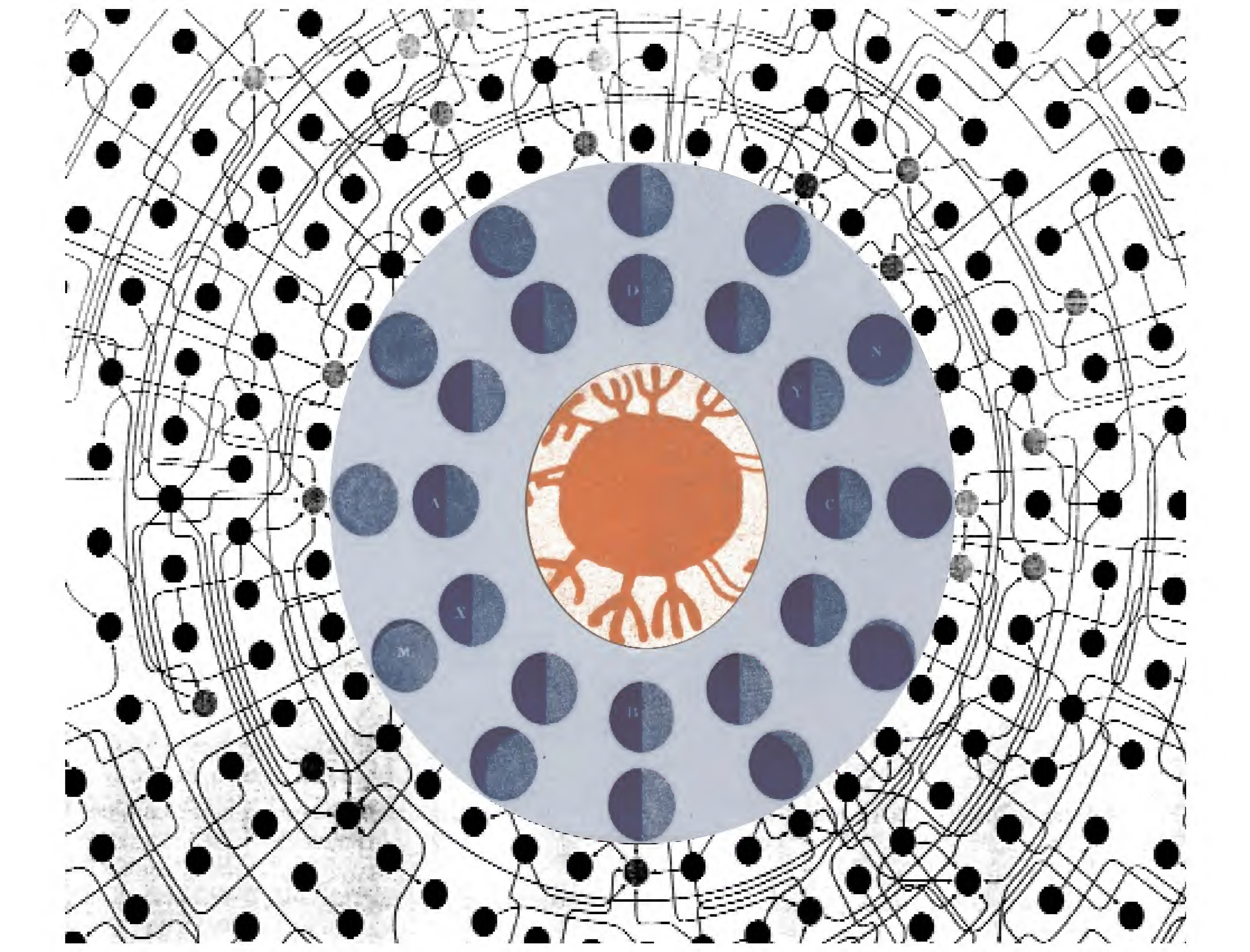


triangle = 1/2 (bh)
trapezoid = h/2 (b1 + b2)
circle = pi r²
ellipse
parallelogram = bh
equilateral
E = MC²








D
N
Y
A
C
X
M.
B

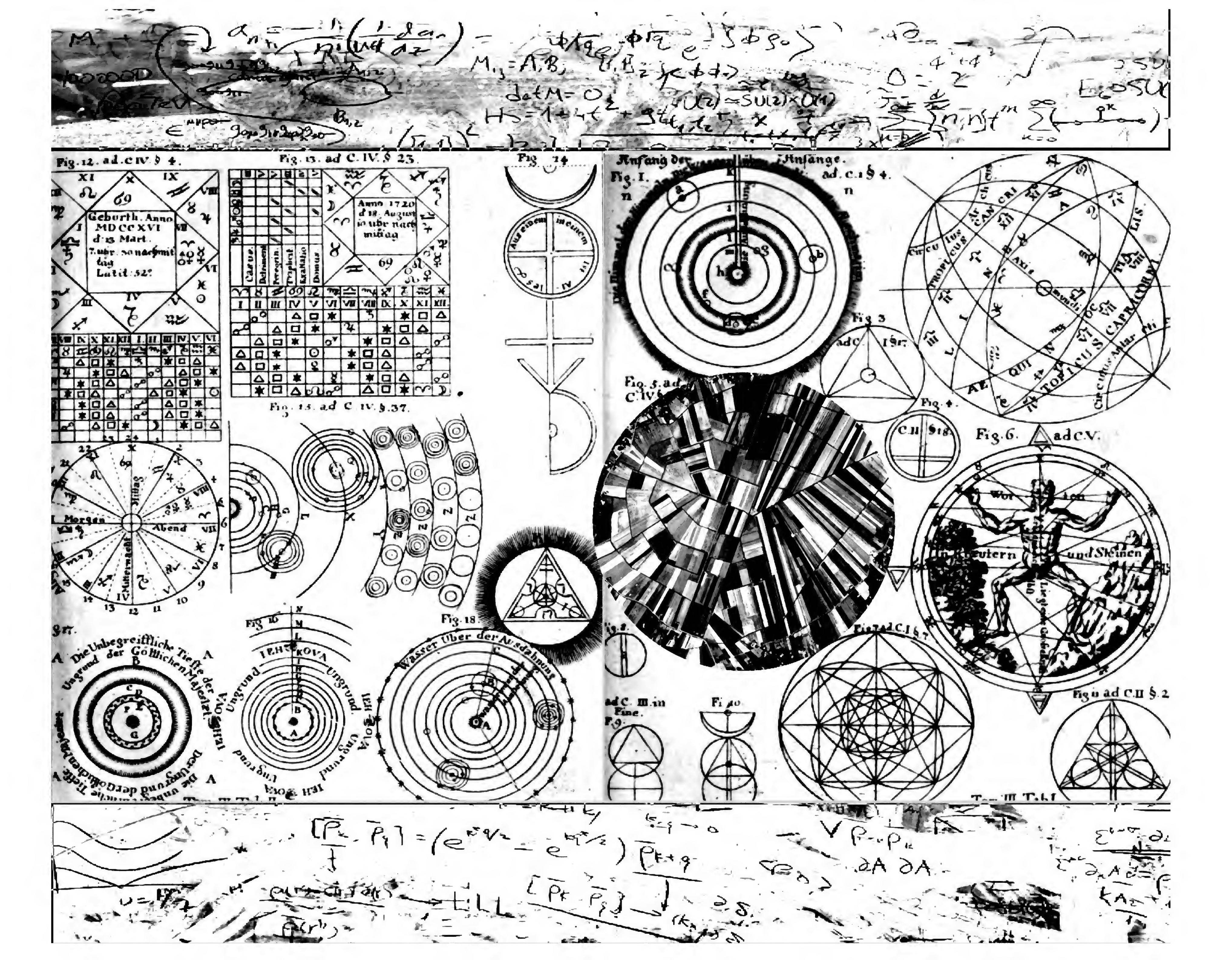
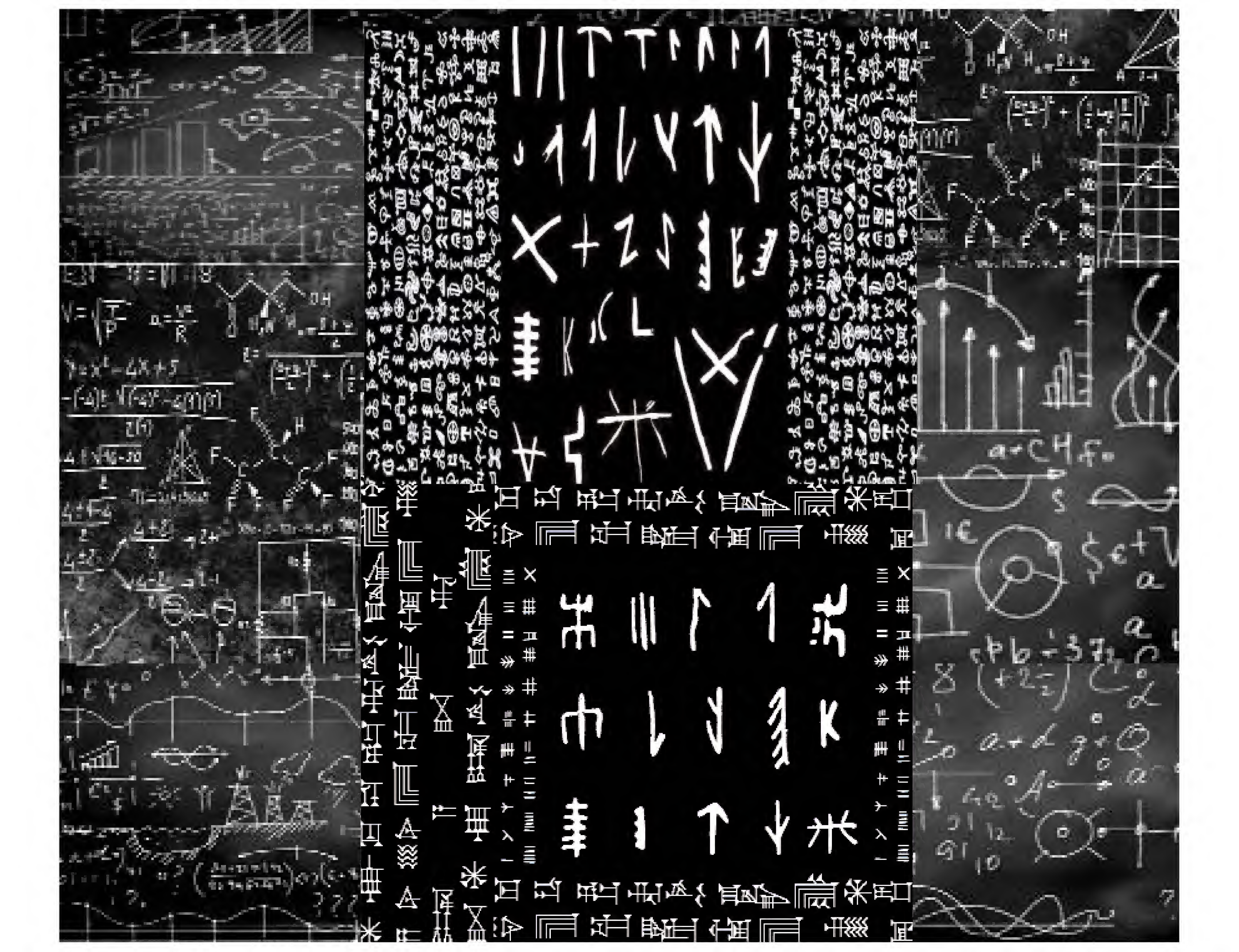
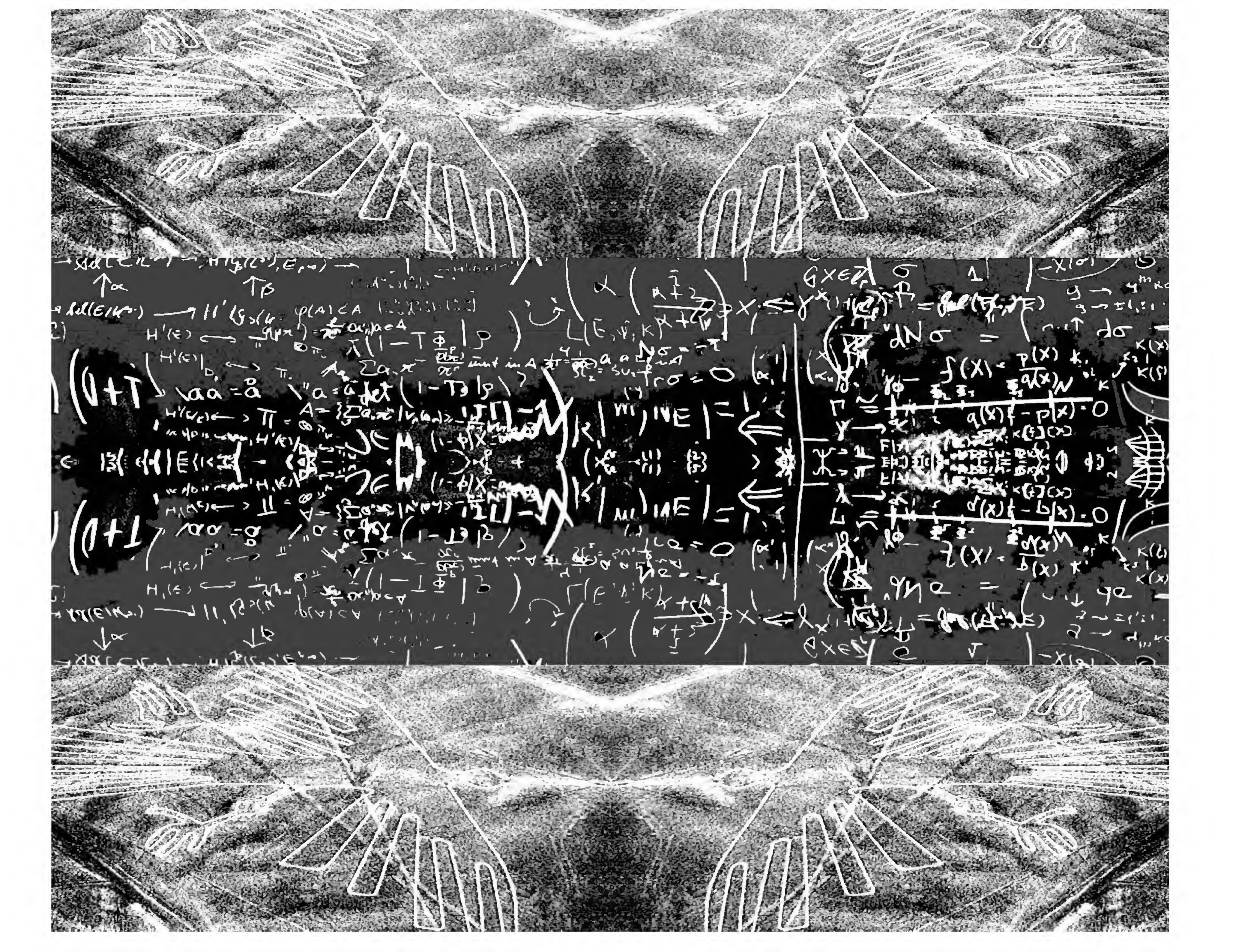
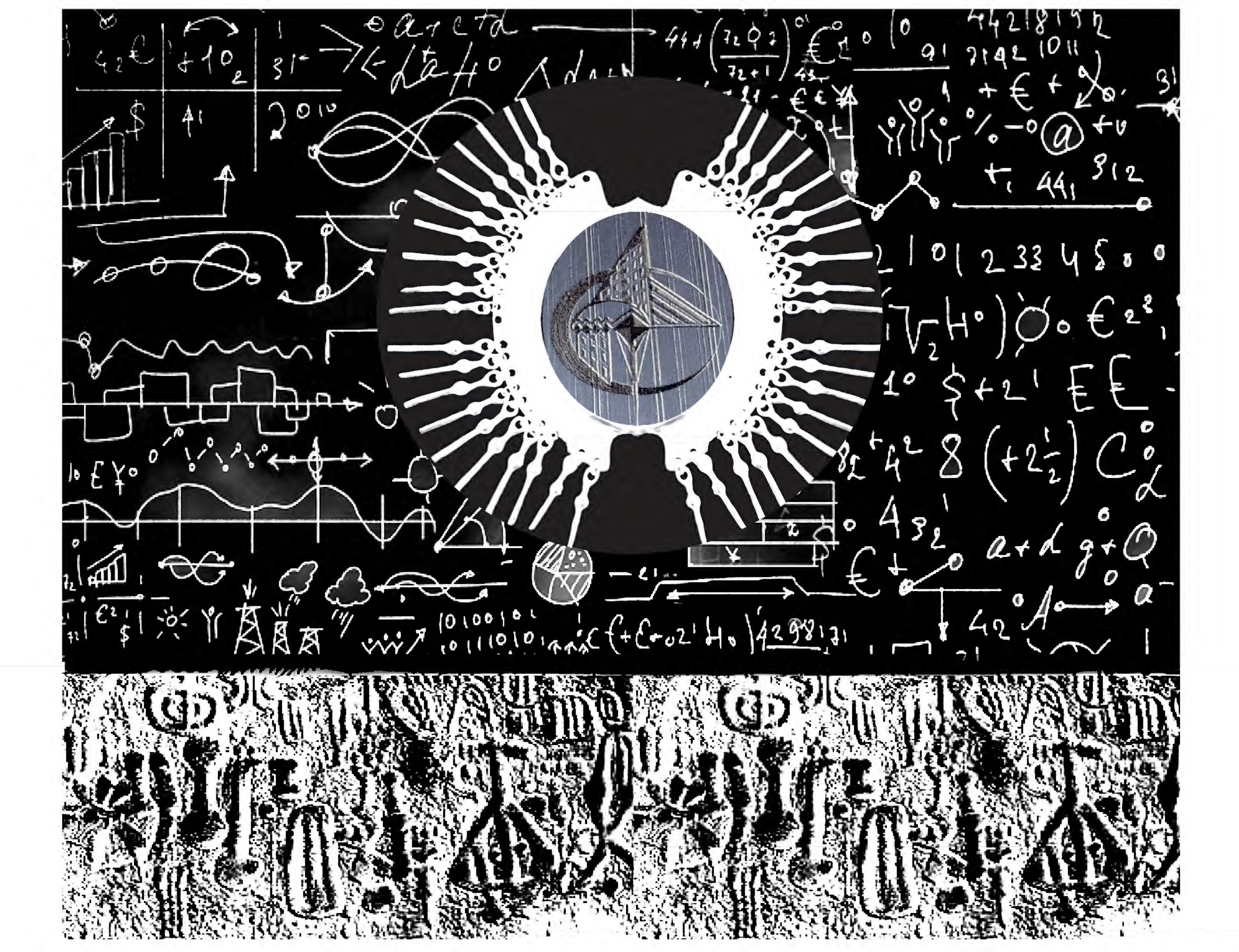
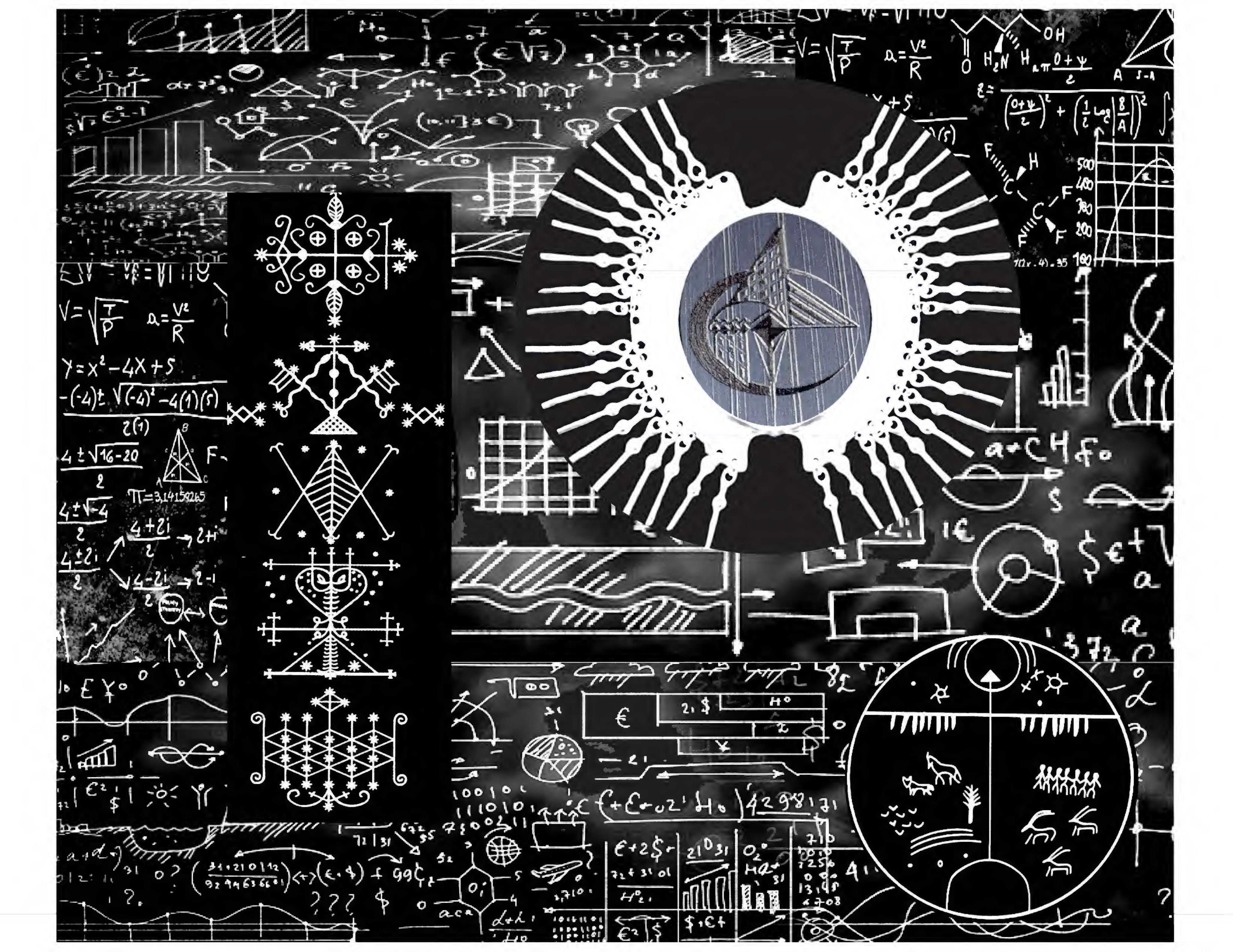


Fig. 12. ad. C. IV. § 4.
Geburth. Anno MDCCXVI d. 13 Mart.
Latit: 52°
Fig. 13. ad C. IV. § 23.
Anno 1720
Fig. 15. ad C. IV. § 37.
Morgen
Abend
Mittag
Mitternacht
Fig. 14
Aus einem
in einem
Anfang der
Anfänge.
Fig. I.
ad. C. I § 4.
Fig. 3
Fig. 4.
Fig. 6.
ad C.V.
in Kreutern
und Steinen
Fig. 16
IEHOVA
Ungrund
Fig. 18.
Wasser über der Ausdehnung
Die Unbegreiffliche Tieffe der Göttlichen Majestät
ad C. III. in Fine.
Fig. 9.
Fi. 10.
Fig. 11 ad C. II § 2

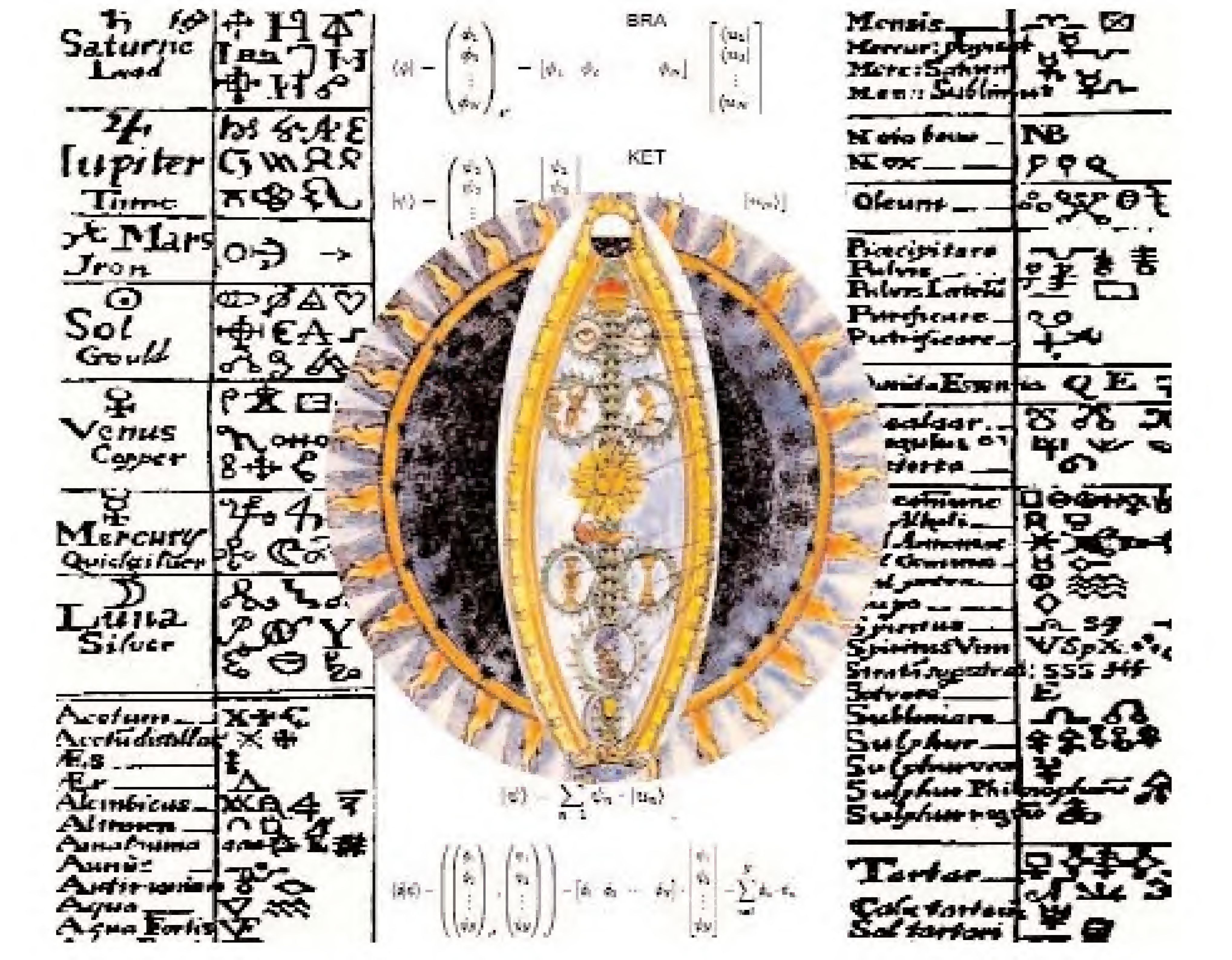




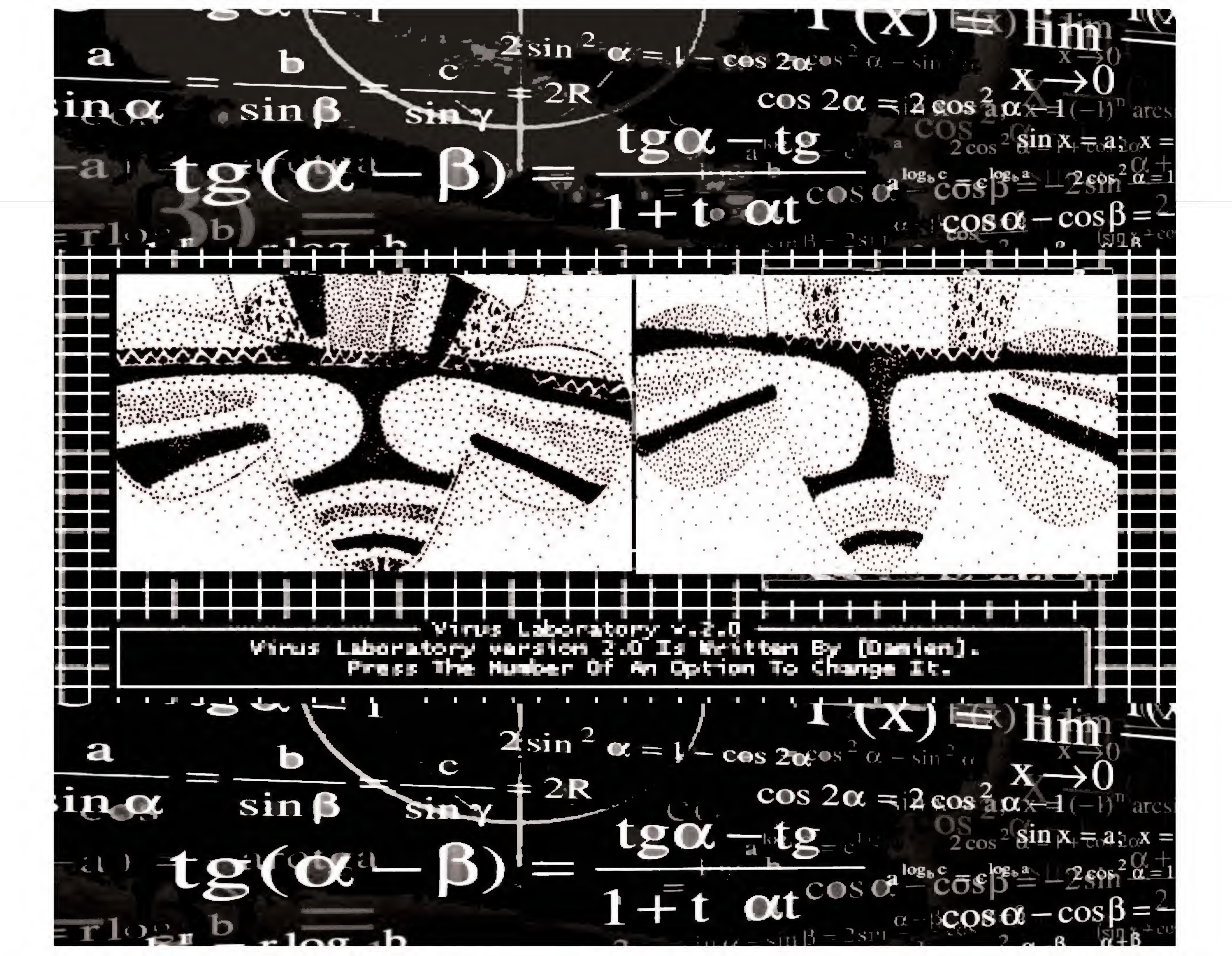




V=√(T/P)
a=V²/R
Y=x²-4X+5
π=3,14159265
a→CH fo



Saturne
Lead
Jupiter
Time
Mars
Iron
Sol
Gould
Venus
Copper
Mercury
Quicksilver
Luna
Silver
Acetum
Æs
Aer
Alembicus
Aqua
Aqua Fortis
BRA
KET
Mensis
NB
Oleum
Pulvis
Purificare
Putrificare
Spiritus Vini
Solvere
Sublimare
Sulphur
Sulphur Philosophorum
Tartar
Sal tartari


Virus Laboratory v.2.0
Virus Laboratory version 2.0 Is Written By [Damien].
Press The Number Of An Option To Change It.

f(q,p)mmmm99.[-i.W(f),-i.W(g)] := -i.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$).[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).f(q,p).[-i.W(f),-i.W(g),,ni.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$).[W($q^3$).W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).f(q,p).[-i.W(f),-i.W(g)] := -i.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$).[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).f(q,p).[-i.W(f),-i.W(g)] := -i.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$).[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ8z8-9#566$q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP +.[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).Or [$Q^3$, $P^3$]= 9 $P^2Q^2$ +18 i PQ -6 d 6iPQ -3/2).f(q,p).[-55t W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + 9UUYT +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= Or [$Q^3$, $P^3$]= 9 $P^2Q^2$ +18 i PQ -6 d =(V+v) t = Vt +vt 1/299.792.458 3$P^2Q^2$ +6iPQ -3/2).3$P^2Q^2$ +6iPQ -3/2).3$P^2Q^2$ +6iPQ -3/2).$q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -88iPQ -3/2).3$P^2Q^2$ +6iPQ -3/2).3$P^2Q^2$ +6iPQ -3/2).$q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6.[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).Or

i.W(f),-i.W(g)] := -i.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ +$^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + RPQi.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + QPQP + 458 $P^2Q^2$).[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).f(q,p).[-i.W(f),-i.W(g)] := -i.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$).[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).f(q,p).[-i.W(f),-i.W(g)] := -i.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$).[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ8z8-9#566PQPQ + $P^2Q^2$).[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ 6ttr38zz9000f(q,p).[-i.W(f),-i.W(g)] := -i.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$).[W($q^3$),W($p^3$] et UTT66+ $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$).[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +-i.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + Or [$Q^3$, $P^3$]= 9 $P^2Q^2$ +18 i PQ -6 d =(V+v) t = Vt +vt 1/299.792.458 3$P^2Q^2$ +6iPQ -3/2).3$P^2Q^2$ +6iPQ -3/2).3$P^2Q^2$ +6iPQ -3/2).$q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -88 PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$)= 3 ( 3$P^2Q^2$ +6iPQ -3/2).3$P^2Q^2$ +6iPQ -3/2).f(q,p).[-i.W(f),-i.W(g)] := -i.W({f,g}).{f,g} $q^2p^2$ /6( $Q^2P^2$ + QPQP + $QP^2Q$ + $PQ^2P$ + PQPQ + $P^2Q^2$).[W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ + QPQP + $QP^2Q$0005577890 +6iPQ -3/2).Or [$Q^3$, $P^3$]= 9 $P^2Q^2$ +18 i PQ -6 d =(V+v) t = Vt +vt 1/299.792.458 [W($q^3$),W($p^3$] et {$x^3$,$p^3$}=3$q^2$.3$p^2$-0.QP = PQ +i :9 W($q^2p^2$) = 9/6 ( $Q^2P^2$ +f(q,p).[-i.W(f),-i.W(g)] := -i.W({f,g}).{f,g}



$\hbar^2 \frac{\partial^2 \Psi(\vec{r},t)}{\partial t^2} = -\hbar^2 c^2 \Delta \Psi(\vec{r},t) + m^2 c^4 \Psi(\vec{r},t)$
$\langle \phi | \psi \rangle = \left( \begin{pmatrix} \phi_1 \\ \phi_2 \\ \vdots \\ \phi_N \end{pmatrix}, \begin{pmatrix} \psi_1 \\ \psi_2 \\ \vdots \\ \psi_N \end{pmatrix} \right) = [\phi_1 \ \phi_2 \ \cdots \ \phi_N] \cdot \begin{bmatrix} \psi_1 \\ \psi_2 \\ \vdots \\ \psi_N \end{bmatrix} = \sum_{n=1}^{N} \phi_n \cdot \psi_n$
塵其躰六塵之本法佛三密即
三密遍法界而常恒五智四身具
悟者号大覺迷者名衆生衆生
$| \psi \rangle = \begin{pmatrix} \psi_1 \\ \psi_2 \\ \vdots \\ \psi_N \end{pmatrix} = \begin{bmatrix} \psi_1 \\ \psi_2 \\ \vdots \\ \psi_N \end{bmatrix} \cdot [|u_1\rangle \ |u_2\rangle \ \cdots \ |u_N\rangle]$
$\langle \phi | = \begin{pmatrix} \phi_1 \\ \phi_2 \\ \vdots \\ \phi_N \end{pmatrix} = [\phi_1 \ \phi_2 \ \cdots \ \phi_N] \cdot \begin{bmatrix} \langle u_1 | \\ \langle u_2 | \\ \vdots \\ \langle u_N | \end{bmatrix}$
$R_{\mu\nu} - \frac{1}{2} g_{\mu\nu} R - \Lambda g_{\mu\nu} = \frac{8\pi G}{c^4} T_{\mu\nu}$
$\Delta A \cdot \Delta B \geq \frac{1}{2} \left| \langle [\hat{A}, \hat{B}] \rangle_\psi \right|$



$p + n - D + \gamma$ ($\gamma$ : ph

$D + n - {}^{3}H + \gamma$

$D + p - {}^{3}He + \gamma$

$D + D - {}^{3}H + p$

$D + D - {}^{3}He + n$

$D + D - {}^{4}He + \gamma$

${}^{3}H + p - {}^{4}He + \gamma$

${}^{3}He + n - {}^{3}H + p$

${}^{3}He + n - {}^{4}He + \gamma$

${}^{3}H + D - {}^{4}He + n$

${}^{3}He + D - {}^{4}He + p$

${}^{3}He + {}^{3}He - {}^{4}He + 2p$

${}^{4}He + D - {}^{6}Li + \gamma$

${}^{4}He + {}^{3}H - {}^{7}Li + \gamma$

${}^{4}He + {}^{3}He - {}^{7}Be + \gamma$

${}^{6}Li + n - {}^{7}Li + \gamma$

${}^{6}Li + p - {}^{7}Be + \gamma$

${}^{7}Li + p - {}^{4}He + \gamma$

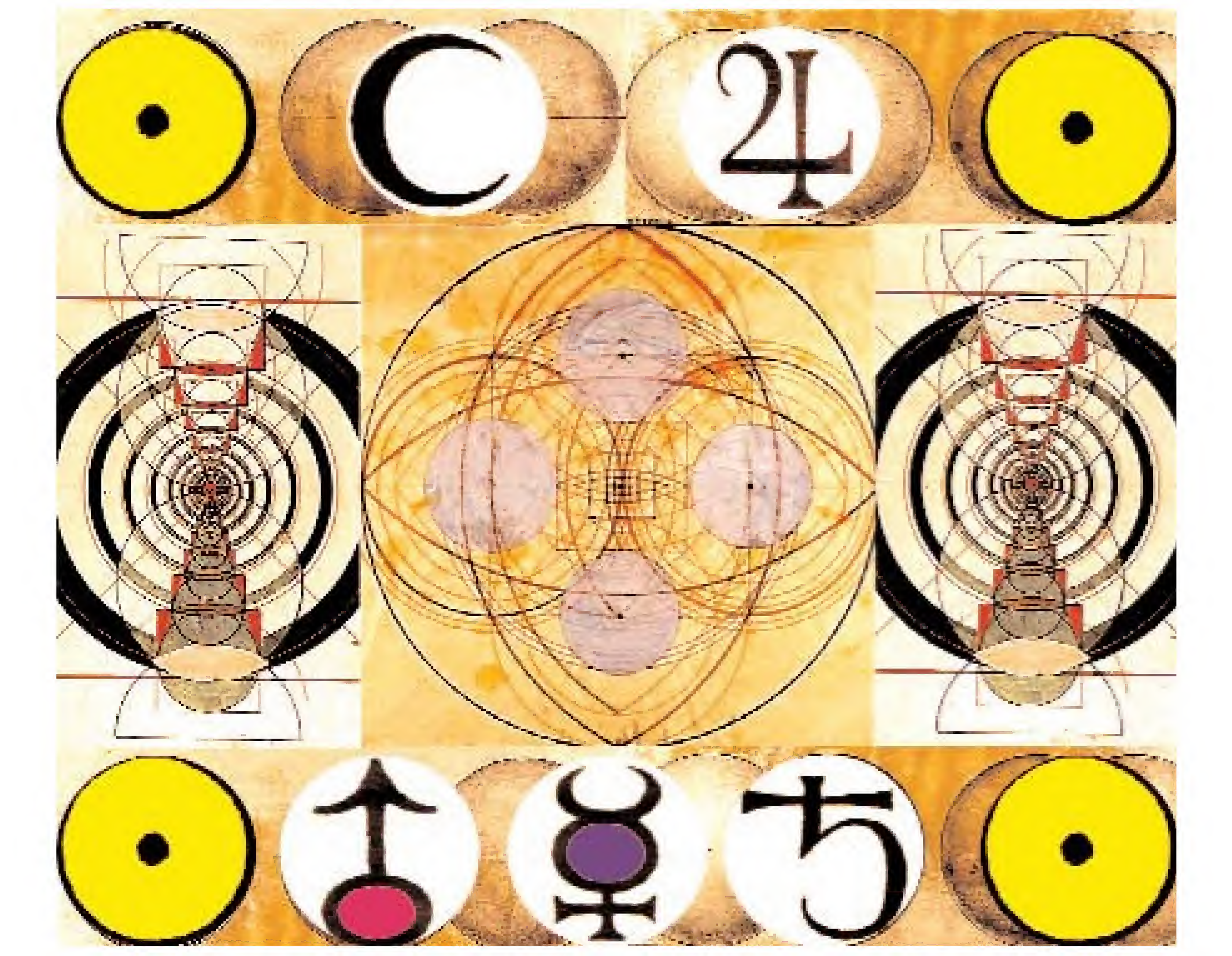
${}^{7}Be + n - {}^{7}Li + p$

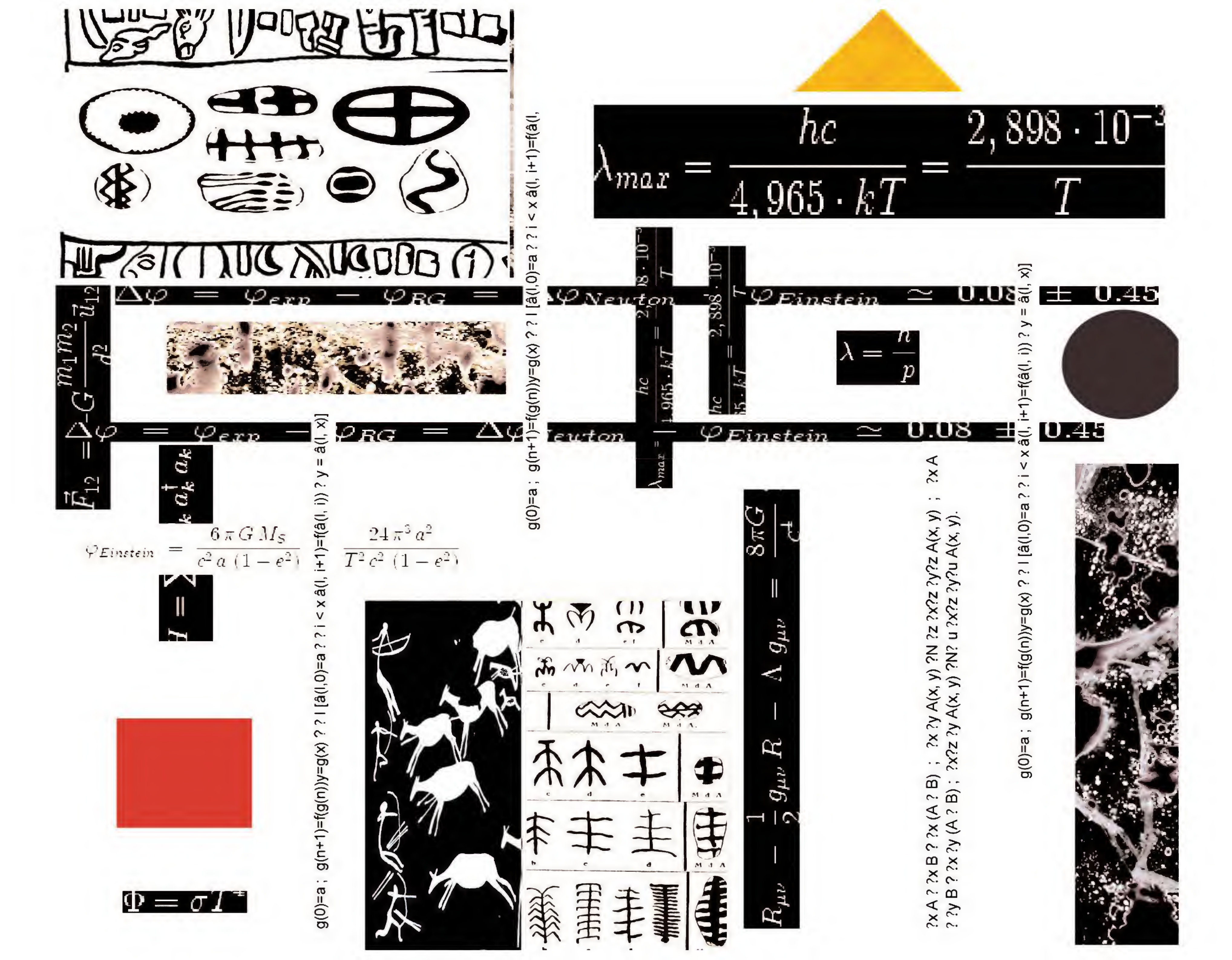
${}^{7}Be + e^{-} - {}^{7}Li + \gamma$

$$n + \nu_e \leftrightarrow p + e^-$$
$$n + e^+ \leftrightarrow p + \nu_e$$
$$n \leftrightarrow p + e^- + \overline{\nu_e}$$

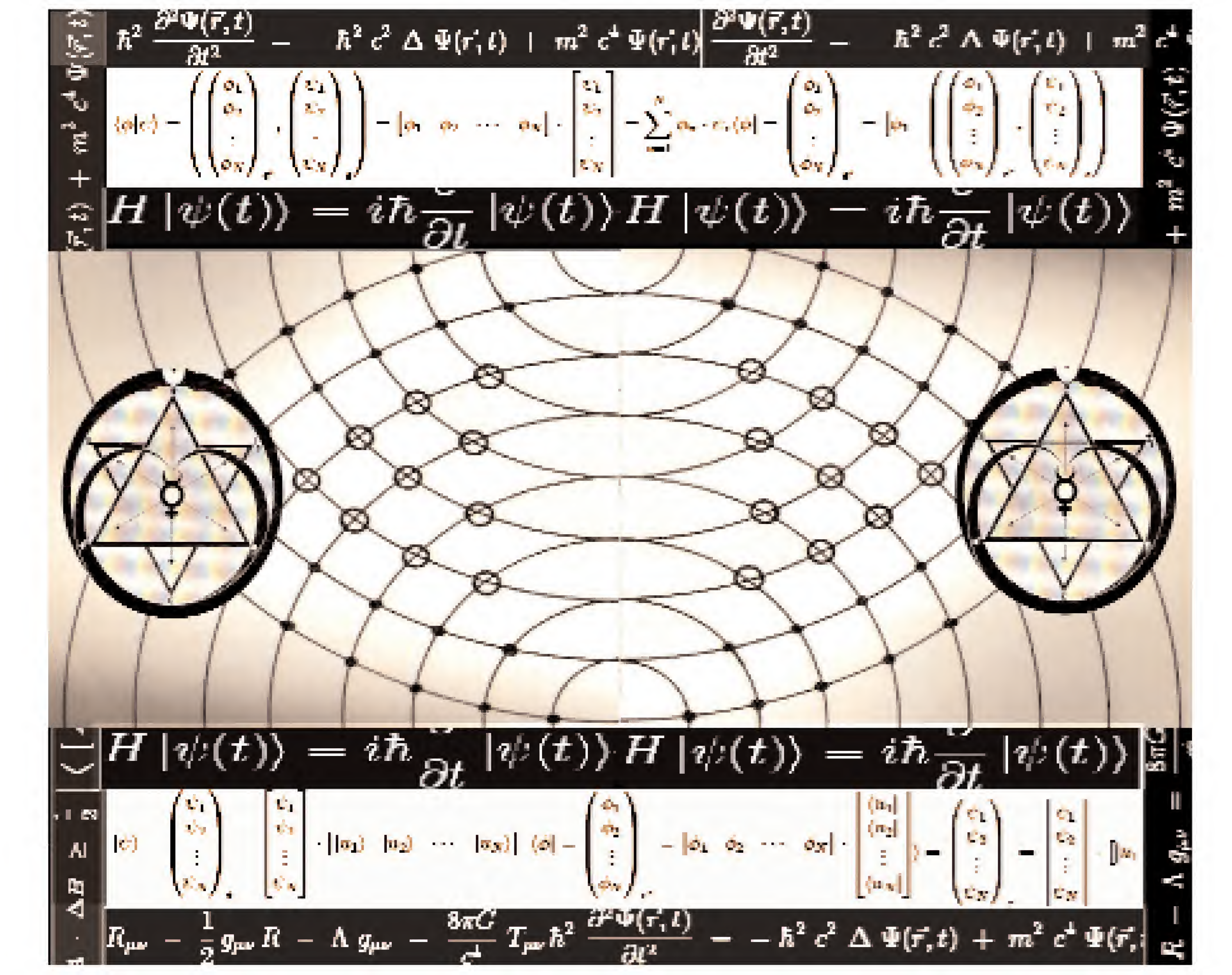
$$\frac{n_p}{n_n} = e^{-\frac{E_p - E_n}{kT}} = e^{-\frac{\Delta mc^2}{kT}}$$


WAVE
AXIS
DYNAMIC

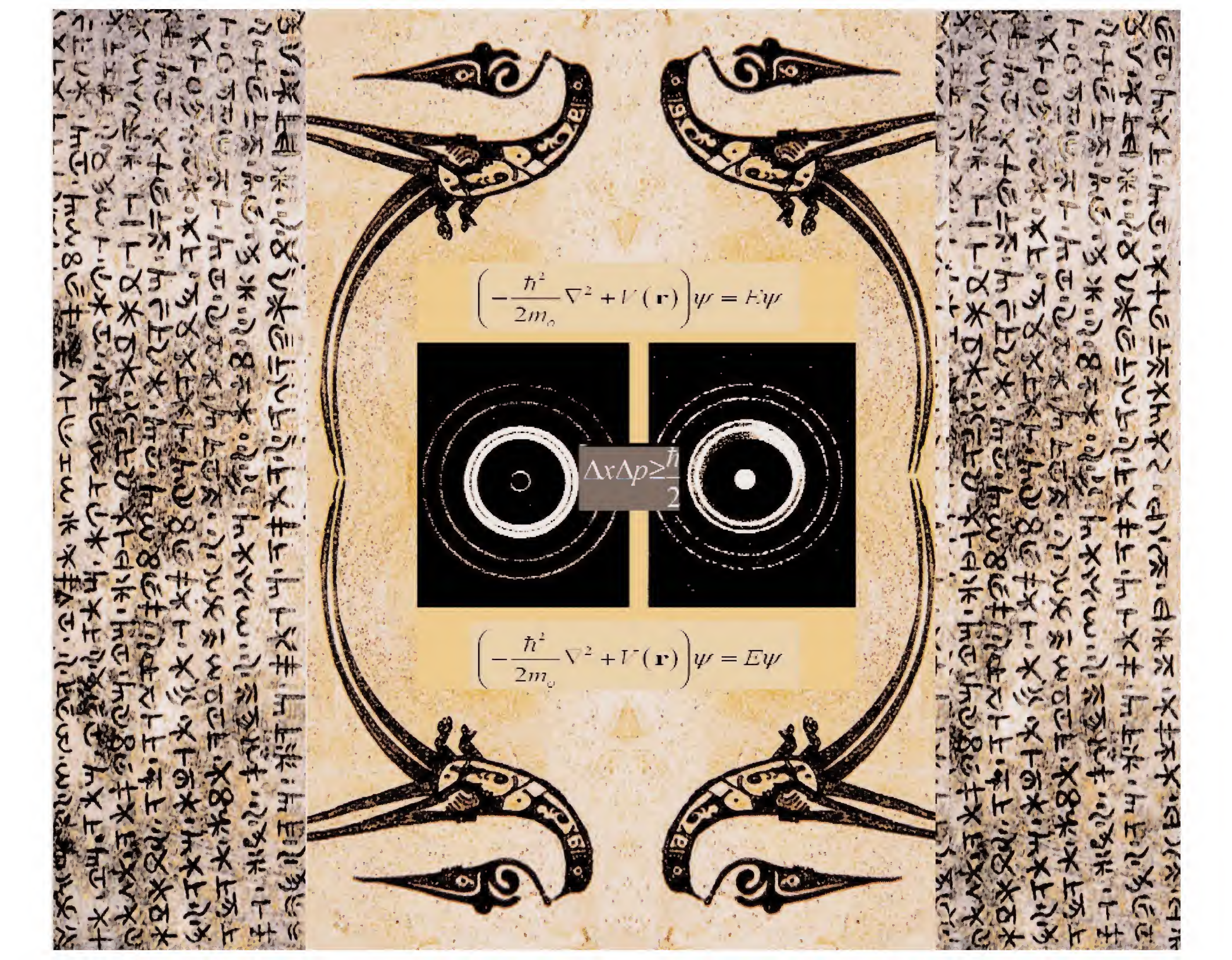




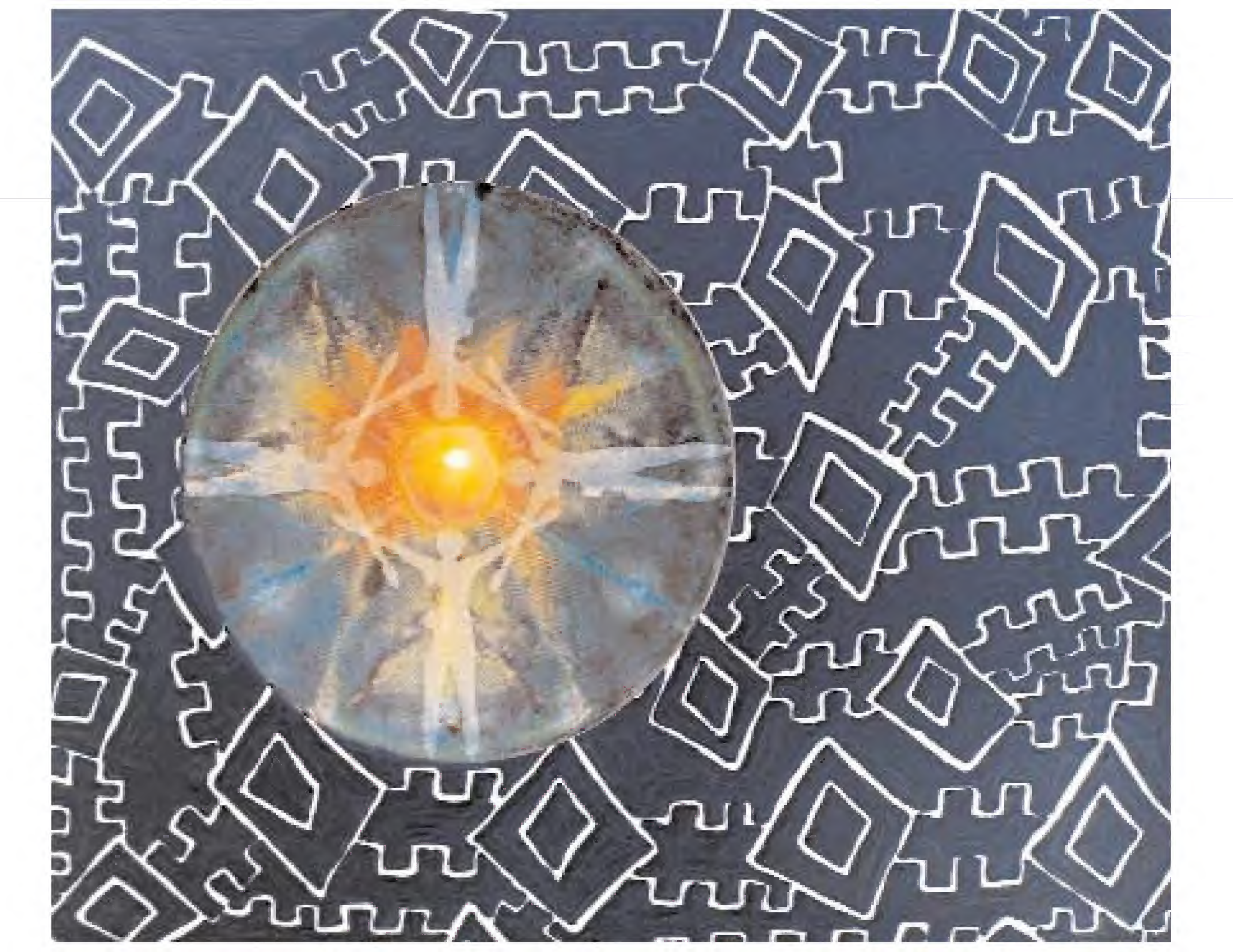
$\lambda_{max} = \frac{hc}{4,965 \cdot kT} = \frac{2,898 \cdot 10^{-3}}{T}$
$\Delta\varphi = \varphi_{exp} - \varphi_{RG} = \Delta\varphi_{Newton} - \varphi_{Einstein} \simeq 0.08 \pm 0.45$
$\vec{F}_{12} = -G\frac{m_1 m_2}{d^2}\vec{u}_{12}$
$\lambda = \frac{h}{p}$
$\varphi_{Einstein} = \frac{6\pi G M_S}{c^2 a (1-e^2)}$ $\frac{24\pi^3 a^2}{T^2 c^2 (1-e^2)}$
$H = \sum_k a_k^\dagger a_k$
$R_{\mu\nu} - \frac{1}{2} g_{\mu\nu} R - \Lambda g_{\mu\nu} = \frac{8\pi G}{c^4}$
$\Phi = \sigma T^4$
g(0)=a ; g(n+1)=f(g(n))y=g(x) ? ? l [â(l,0)=a ? ? i < x â(l, i+1)=f(â(l, i)) ? y = â(l, x)]
?x A ? ?x B ? ?x (A ? B) ; ?x ?y A(x, y) ?N ?z ?x?z ?y?z A(x, y) ; ?x A
? ?y B ? ?x ?y (A ? B) ; ?x?z ?y A(x, y) ?N? u ?x?z ?y?u A(x, y).

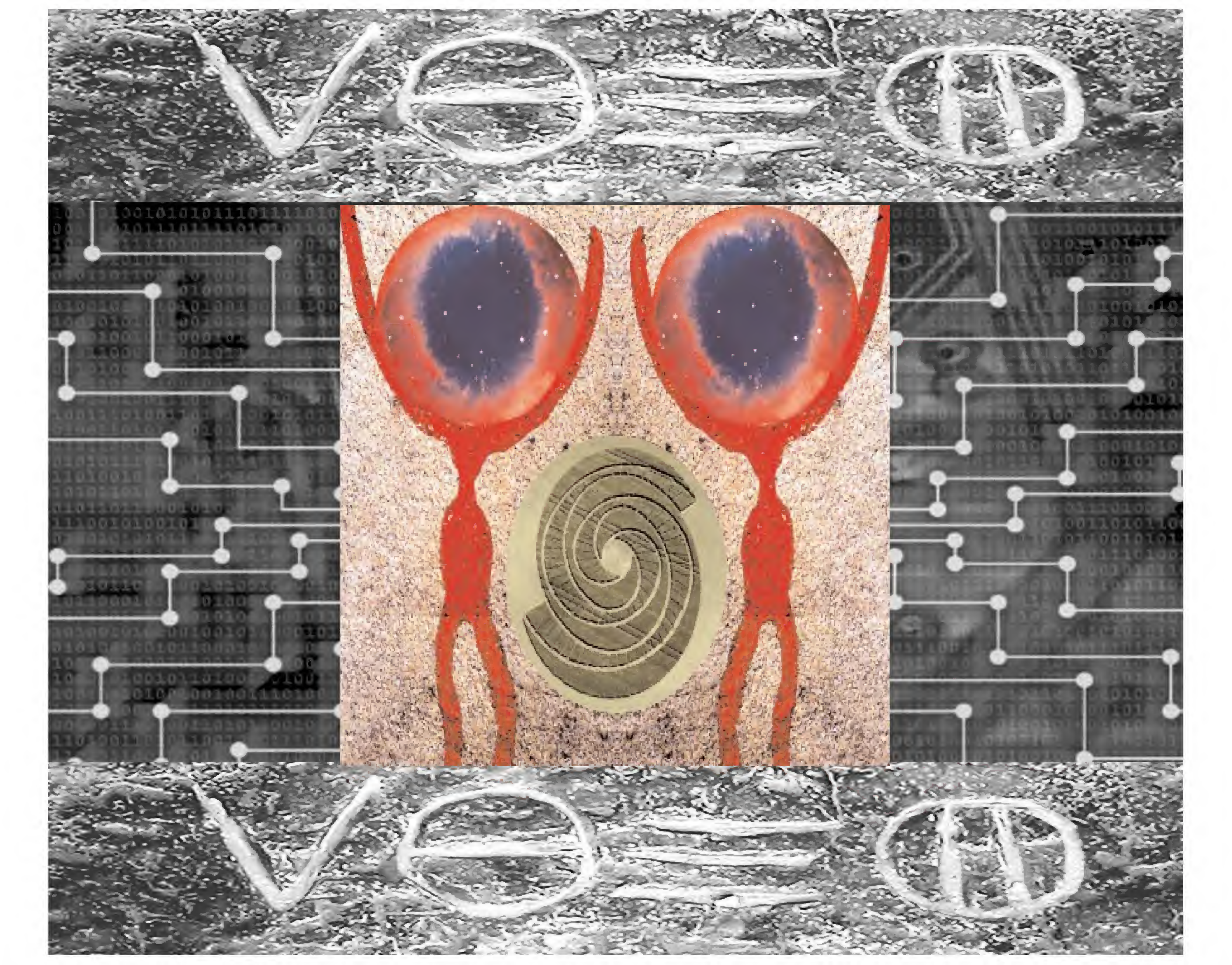


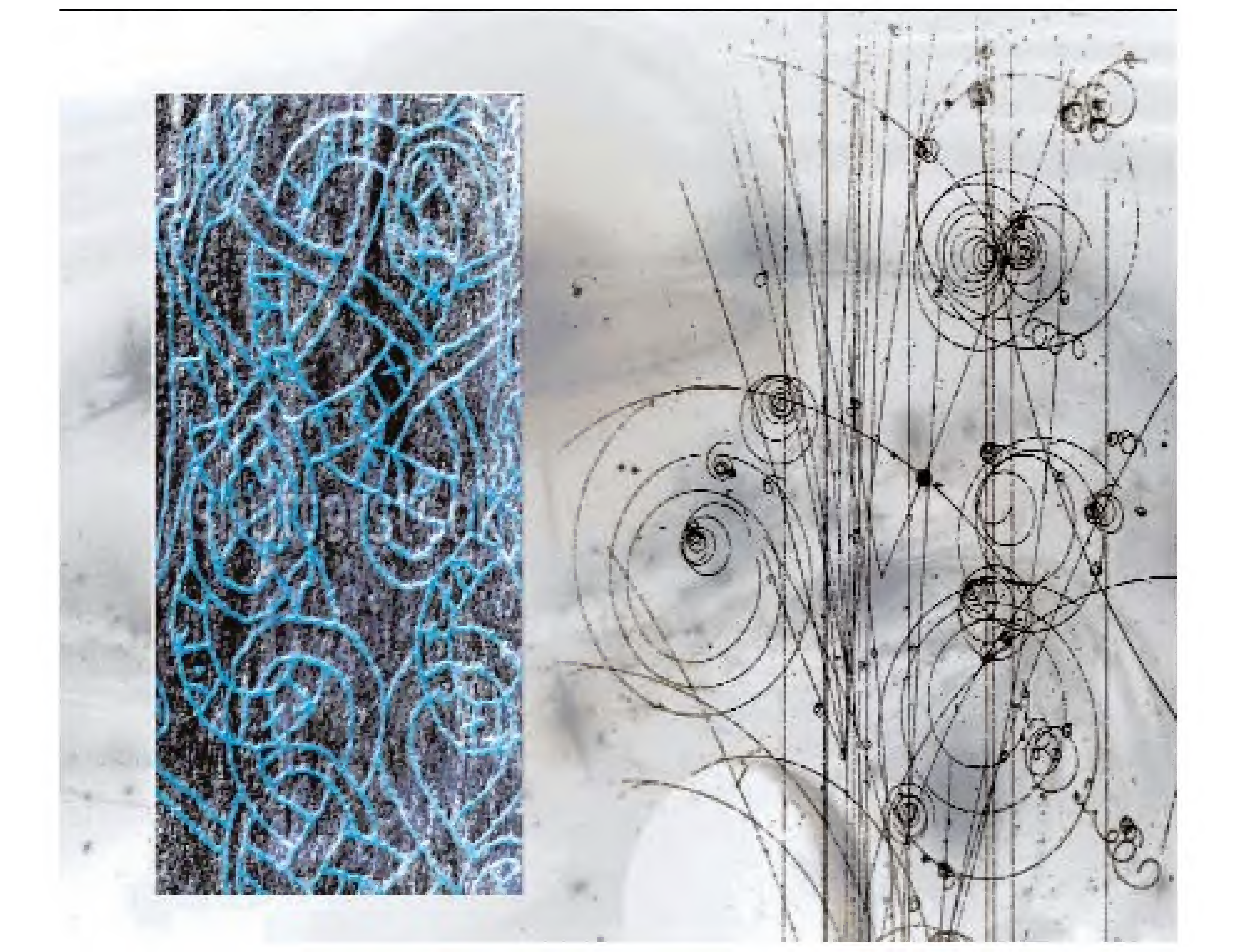
$\hbar^2 \frac{\partial^2 \Psi(\vec{r},t)}{\partial t^2} = \hbar^2 c^2 \Delta \Psi(\vec{r},t) + m^2 c^4 \Psi(\vec{r},t)$
$H \left| \psi(t) \right\rangle = i\hbar \frac{\partial}{\partial t} \left| \psi(t) \right\rangle$
$H \left| \psi(t) \right\rangle = i\hbar \frac{\partial}{\partial t} \left| \psi(t) \right\rangle$
$R_{\mu\nu} - \frac{1}{2} g_{\mu\nu} R - \Lambda g_{\mu\nu} = \frac{8\pi G}{c^4} T_{\mu\nu}$

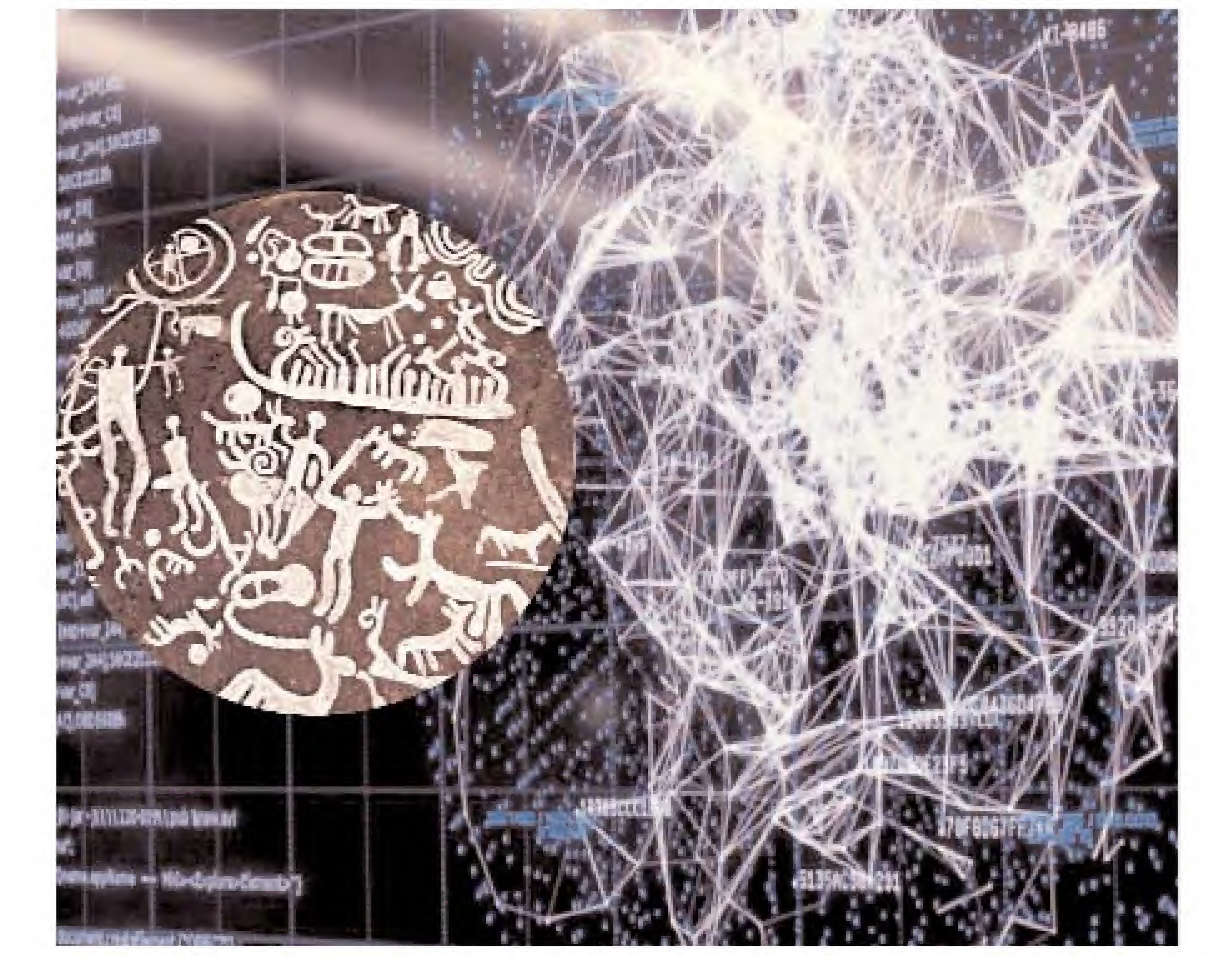


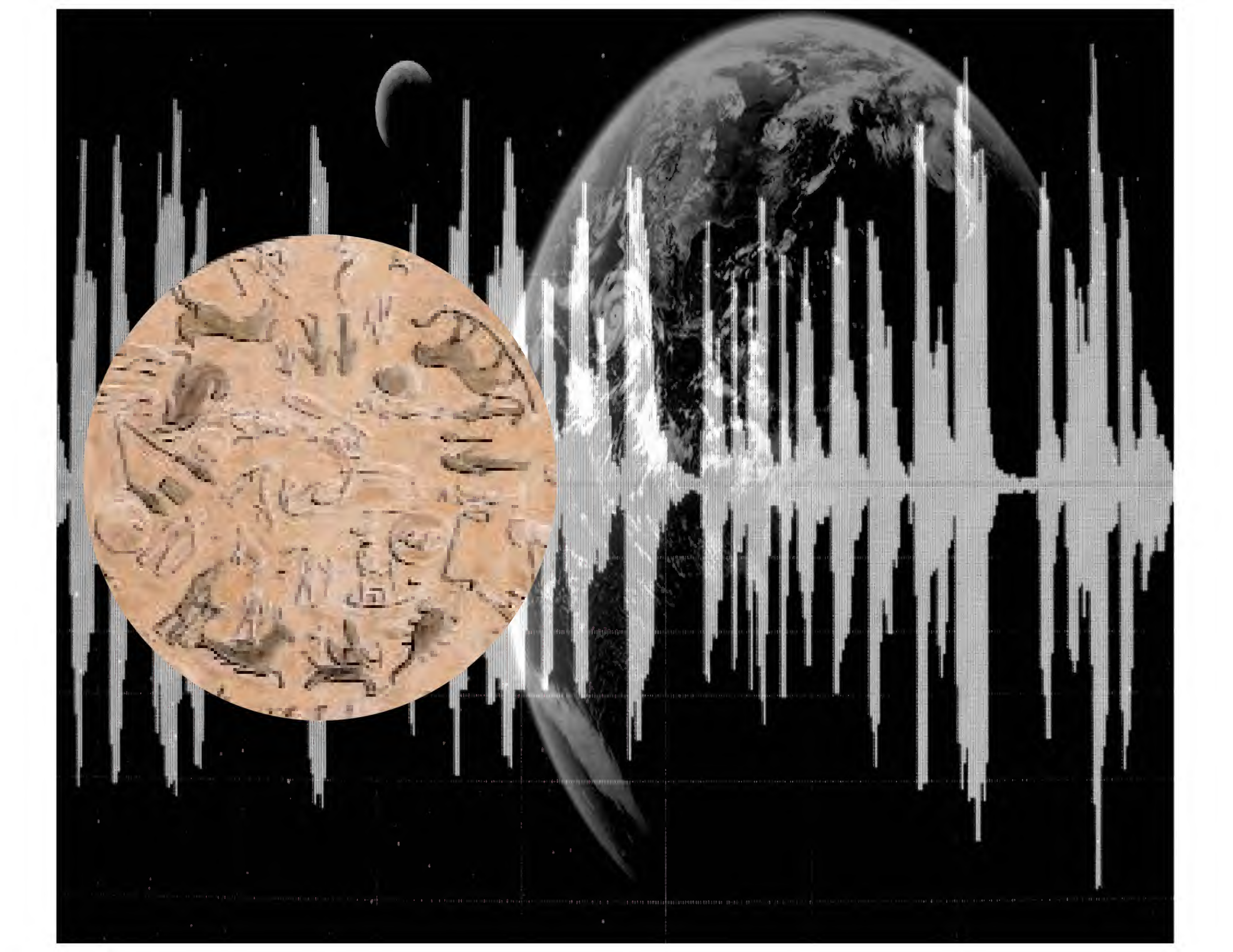
$\left(-\frac{\hbar^2}{2m_o}\nabla^2 + V(\mathbf{r})\right)\psi = E\psi$
$\Delta x \Delta p \geq \frac{\hbar}{2}$
$\left(-\frac{\hbar^2}{2m_o}\nabla^2 + V(\mathbf{r})\right)\psi = E\psi$



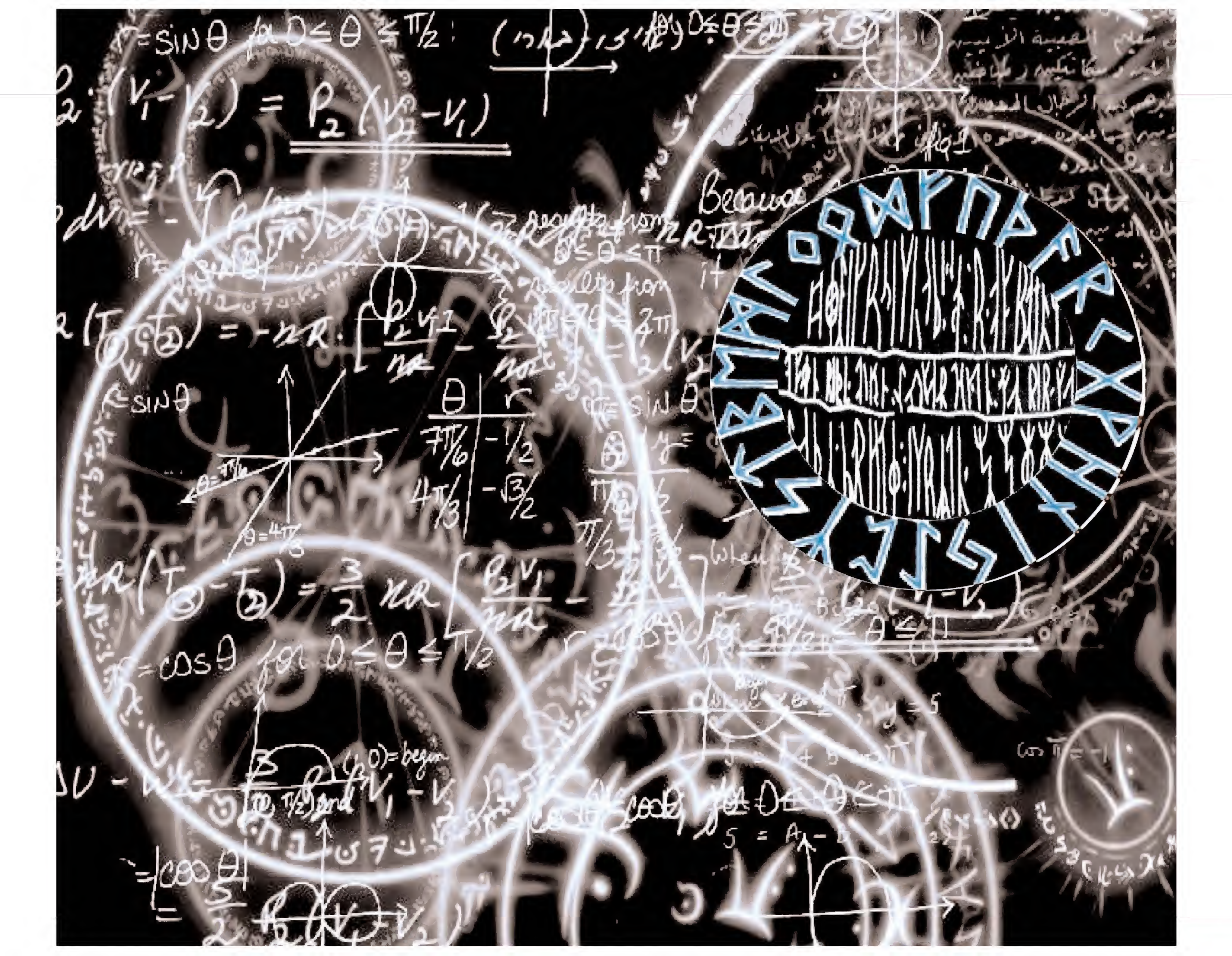




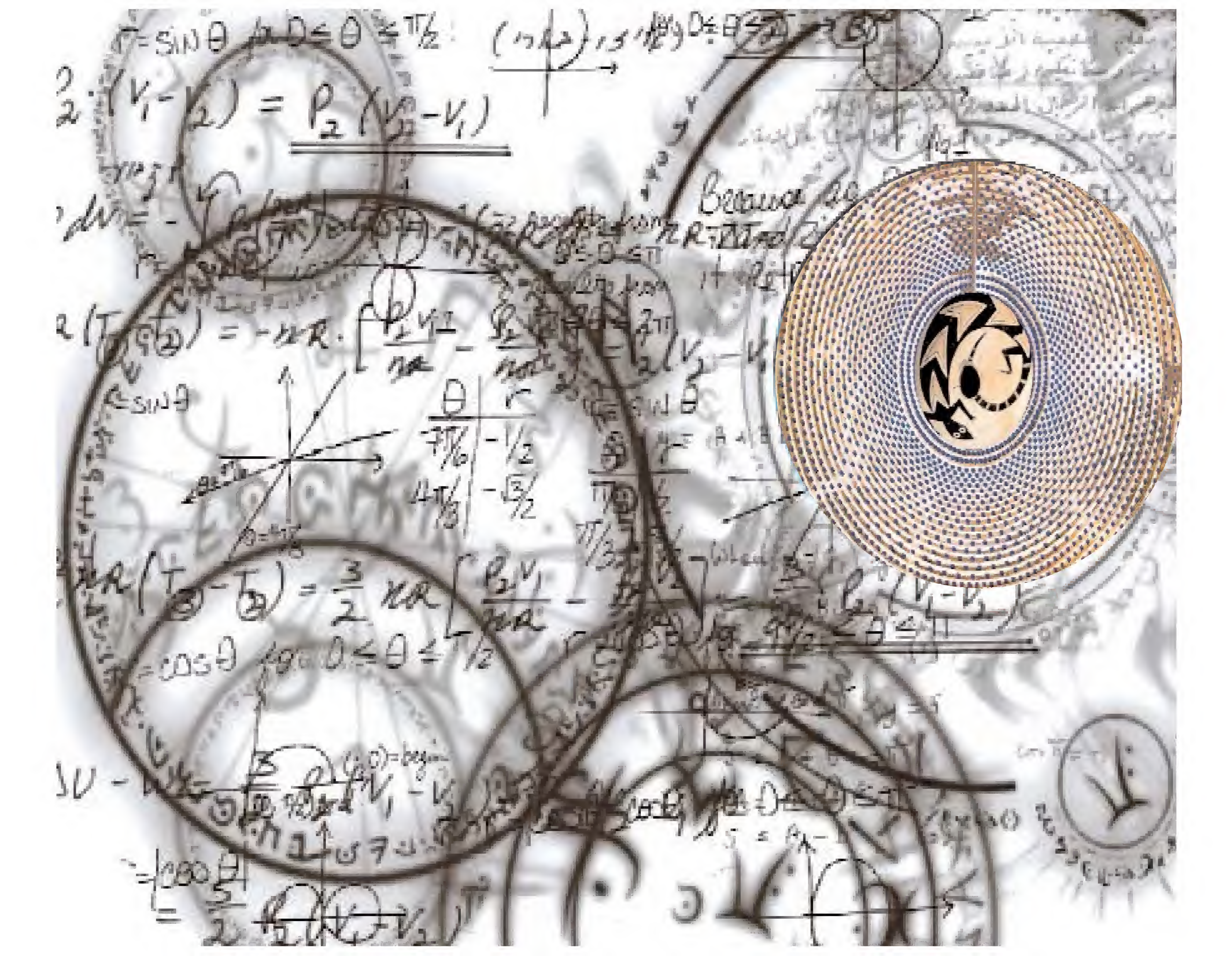


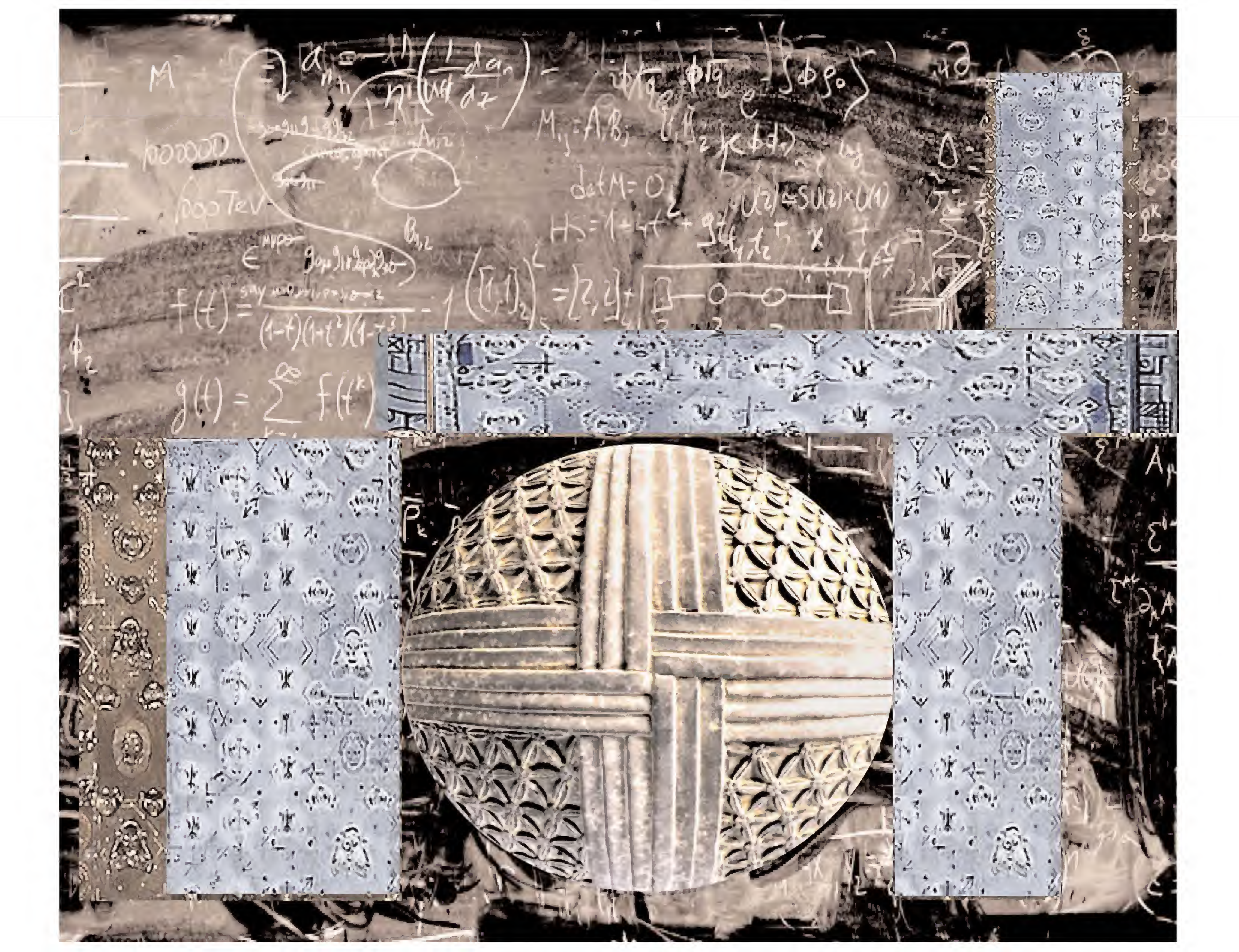




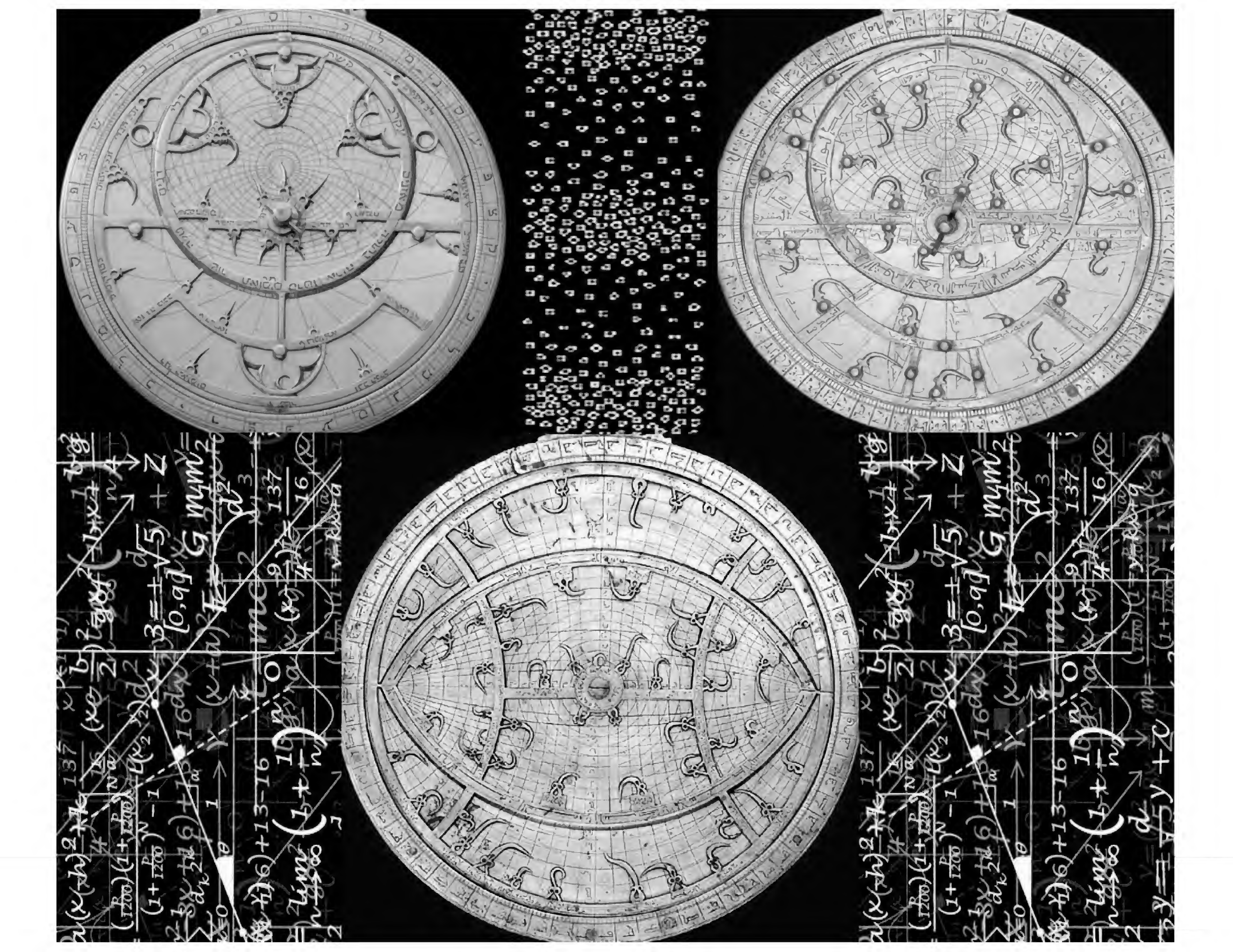


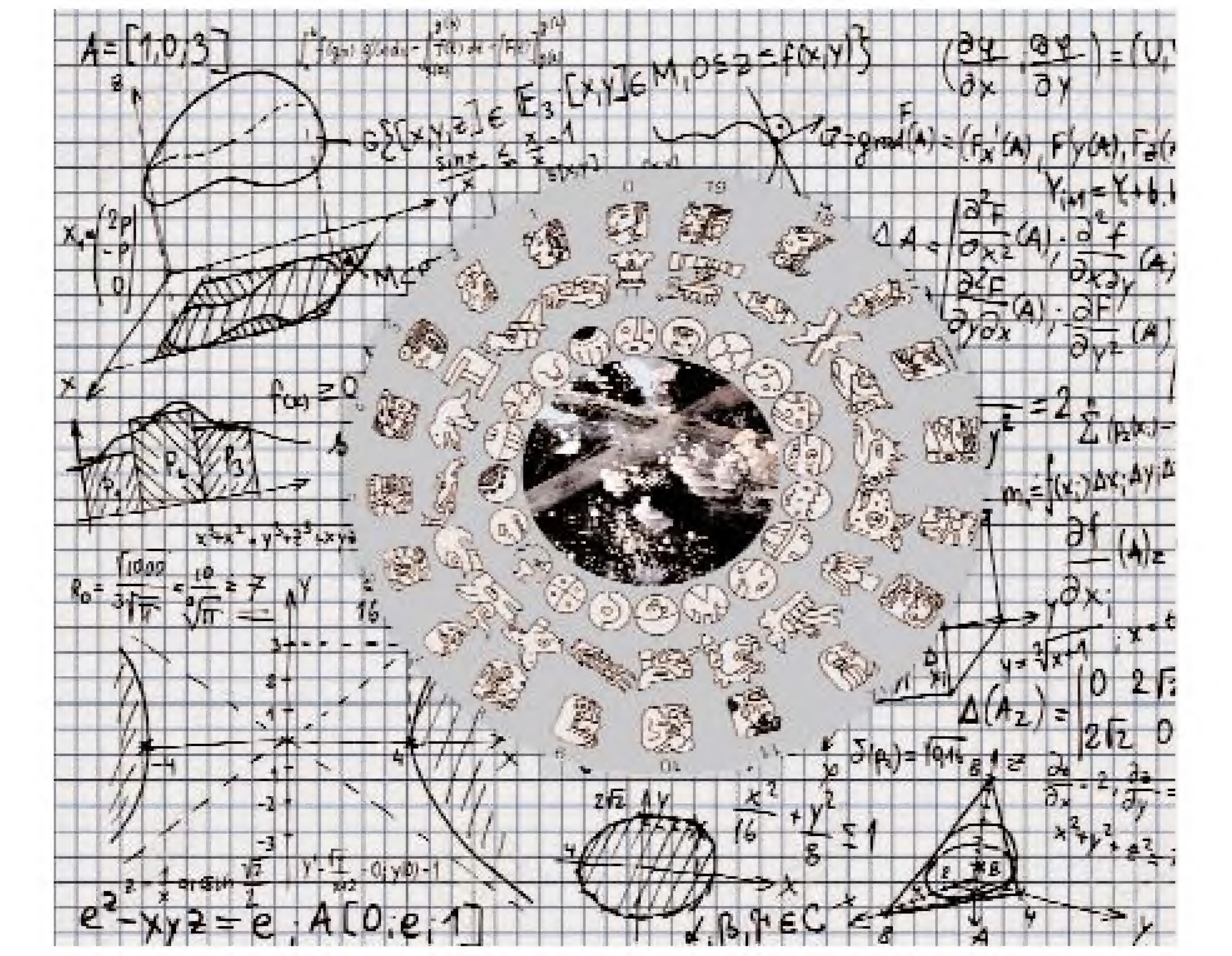
r = sin θ for 0 ≤ θ ≤ π/2
Because
r = cos θ for 0 ≤ θ ≤ π/2





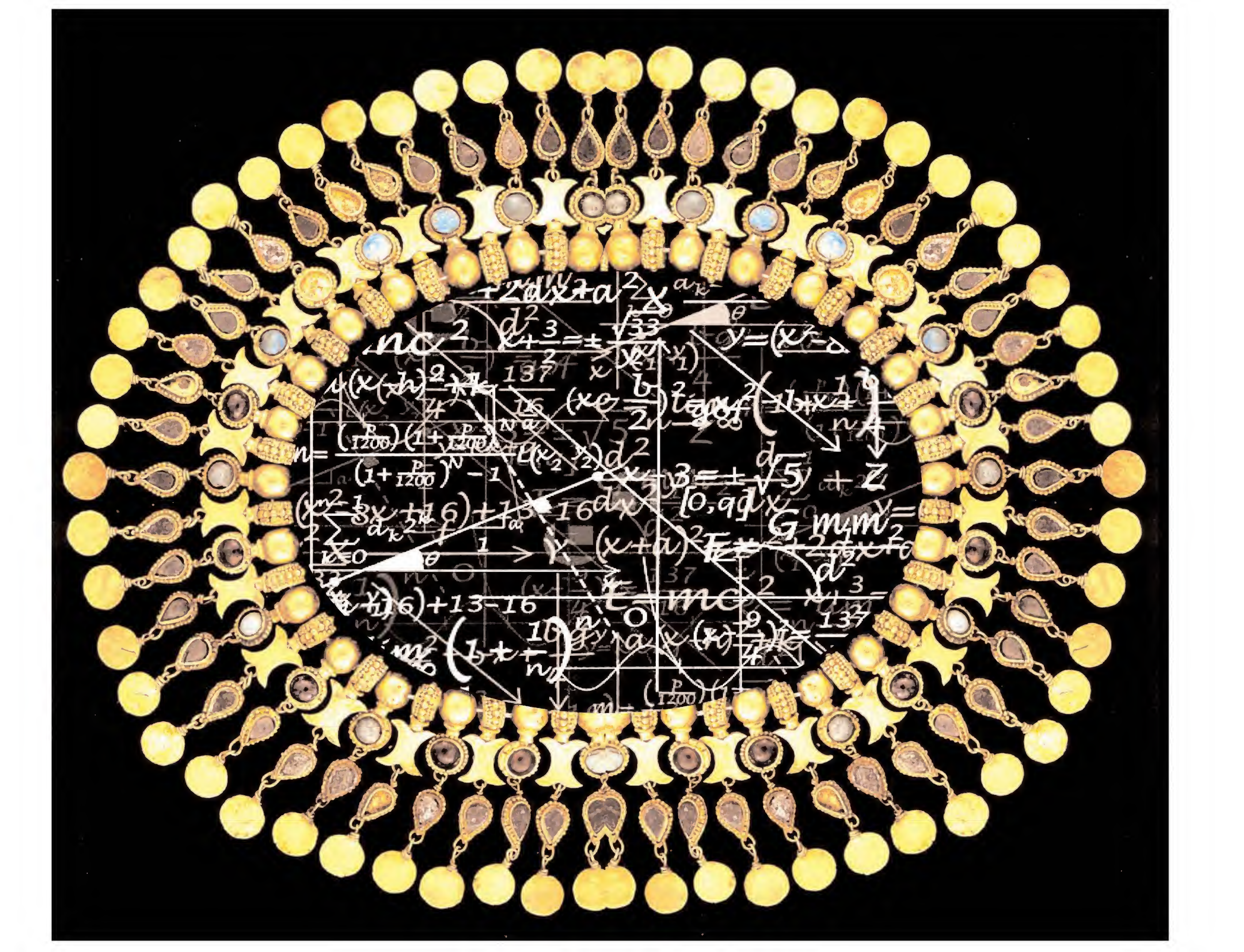
1000 TeV
det M = 0
SU(2) × U(1)
g(t) = ∑ f(t^k

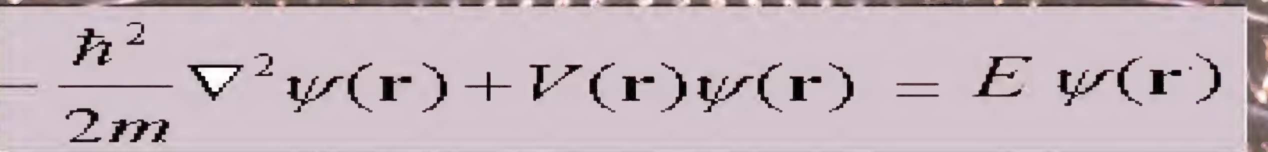




A=[1,0,3]
f(x) ≥ 0
Δ(A2) =
e^z − xyz = e ; A[0;e;1]
x²/16 + y²/8 ≤ 1
α, β, γ ∈ C


oder MYSTERIUM MAGNUM

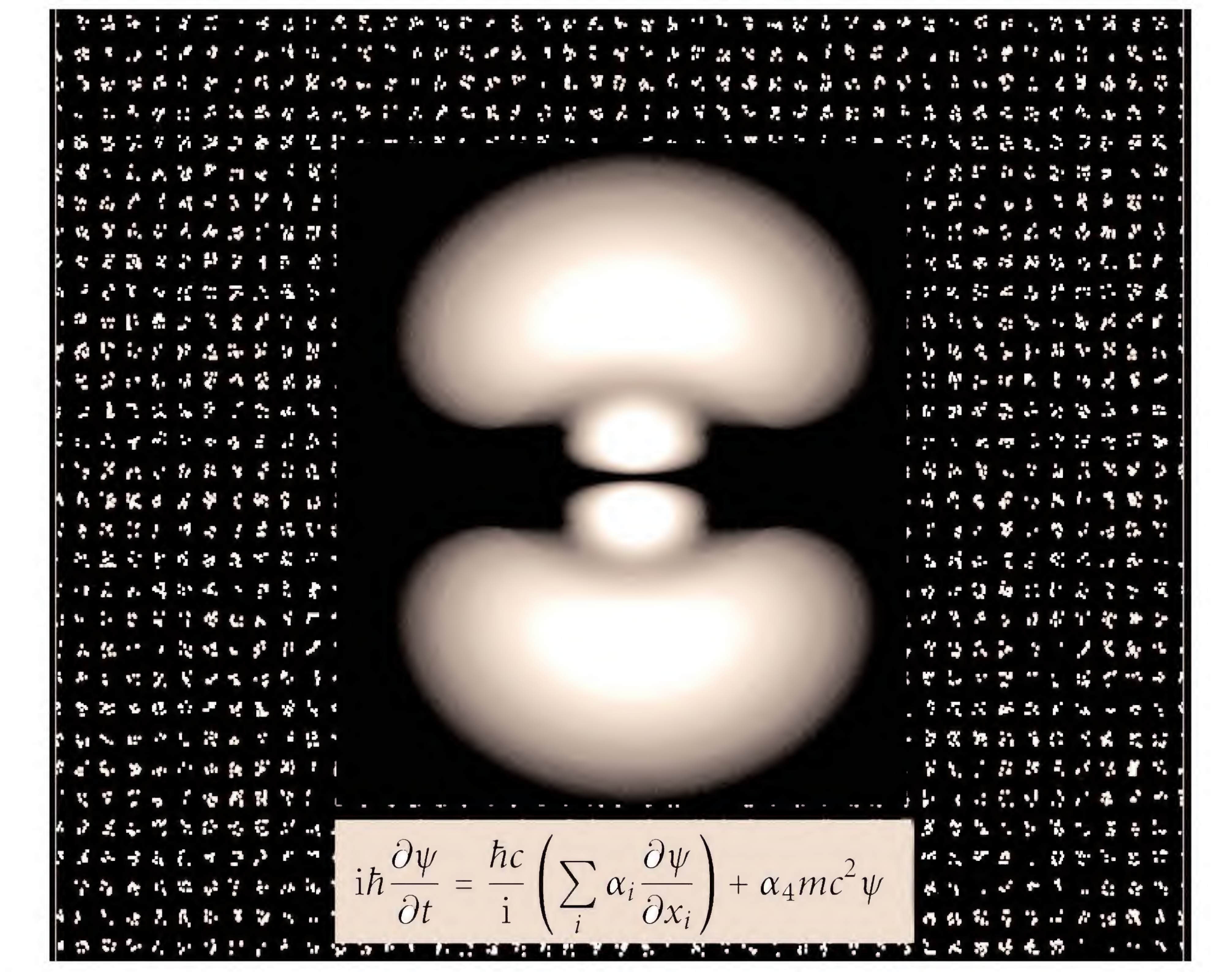




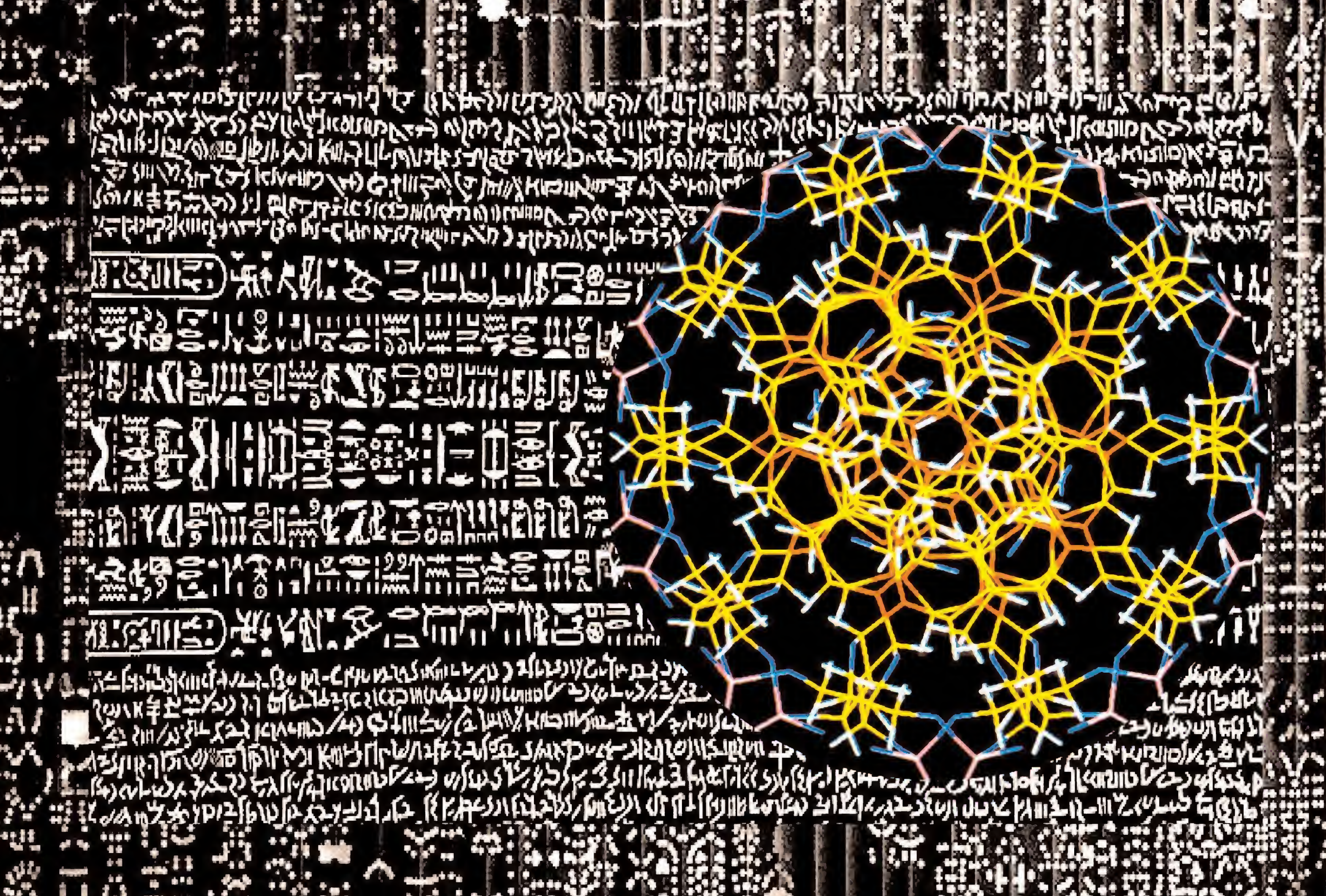

$$\left(\frac{-\hbar^2}{2m}\nabla^2 + V\right)\psi = i\hbar\frac{\partial\psi}{\partial t}$$

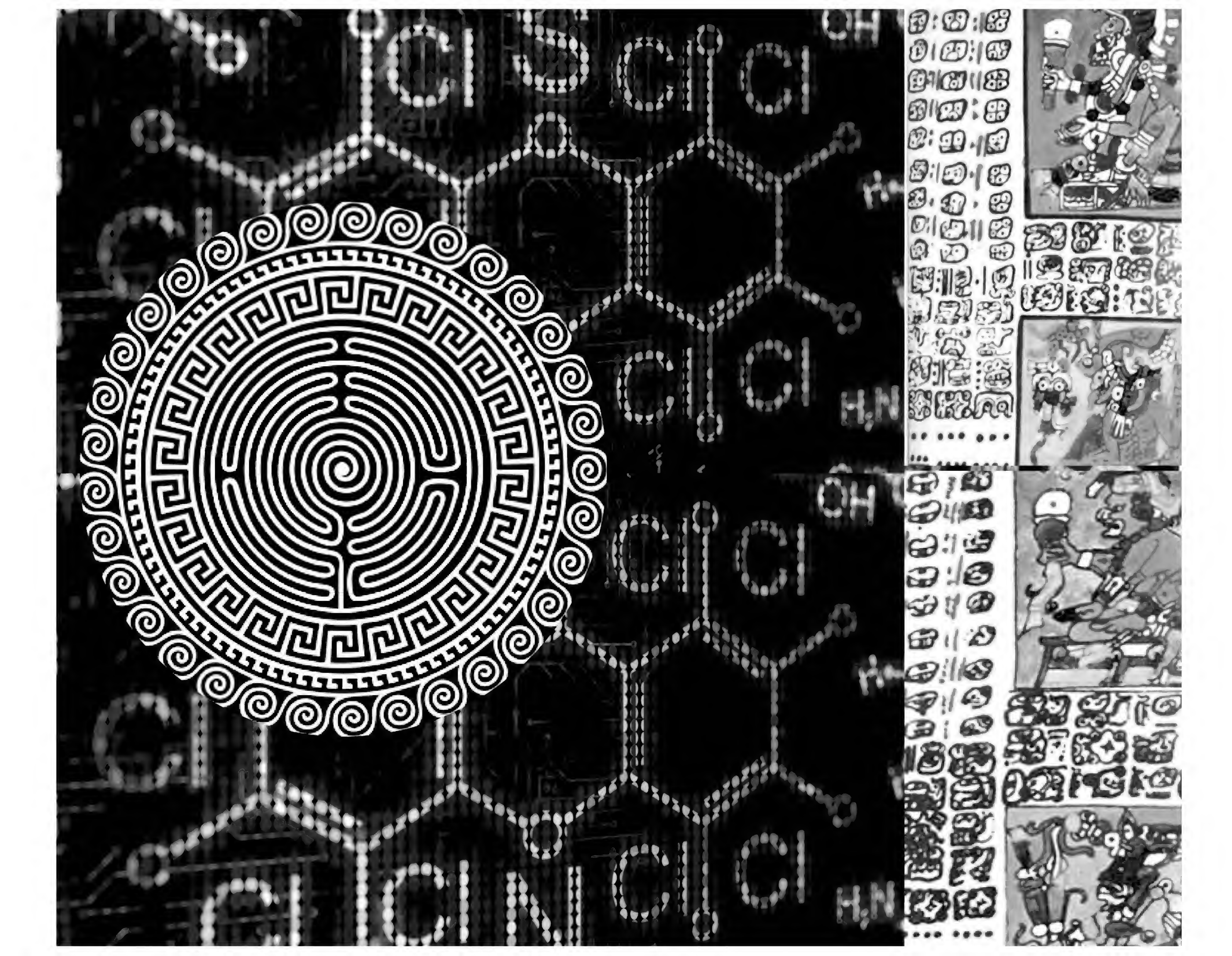
$$\Delta x_i \Delta p_i \geq \frac{\hbar}{2}$$

$$\left(\beta mc^2 + \sum_{k=1}^{3}\alpha_k p_k c\right)\psi(\mathbf{x},t) = i\hbar\frac{\partial\psi(\mathbf{x},t)}{\partial t}$$



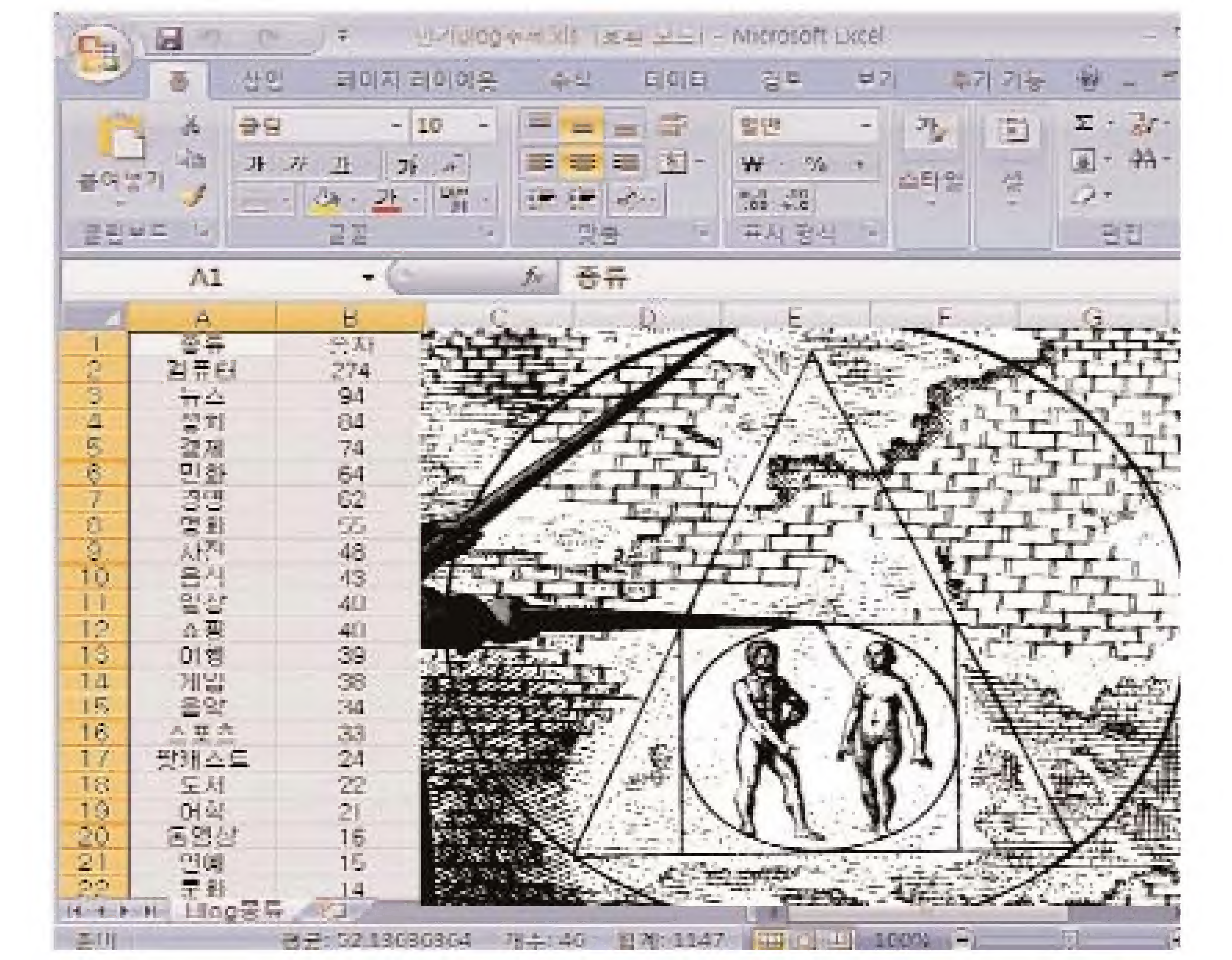
$$i\hbar\frac{\partial\psi}{\partial t} = \frac{\hbar c}{i}\left(\sum_i \alpha_i \frac{\partial\psi}{\partial x_i}\right) + \alpha_4 mc^2\psi$$

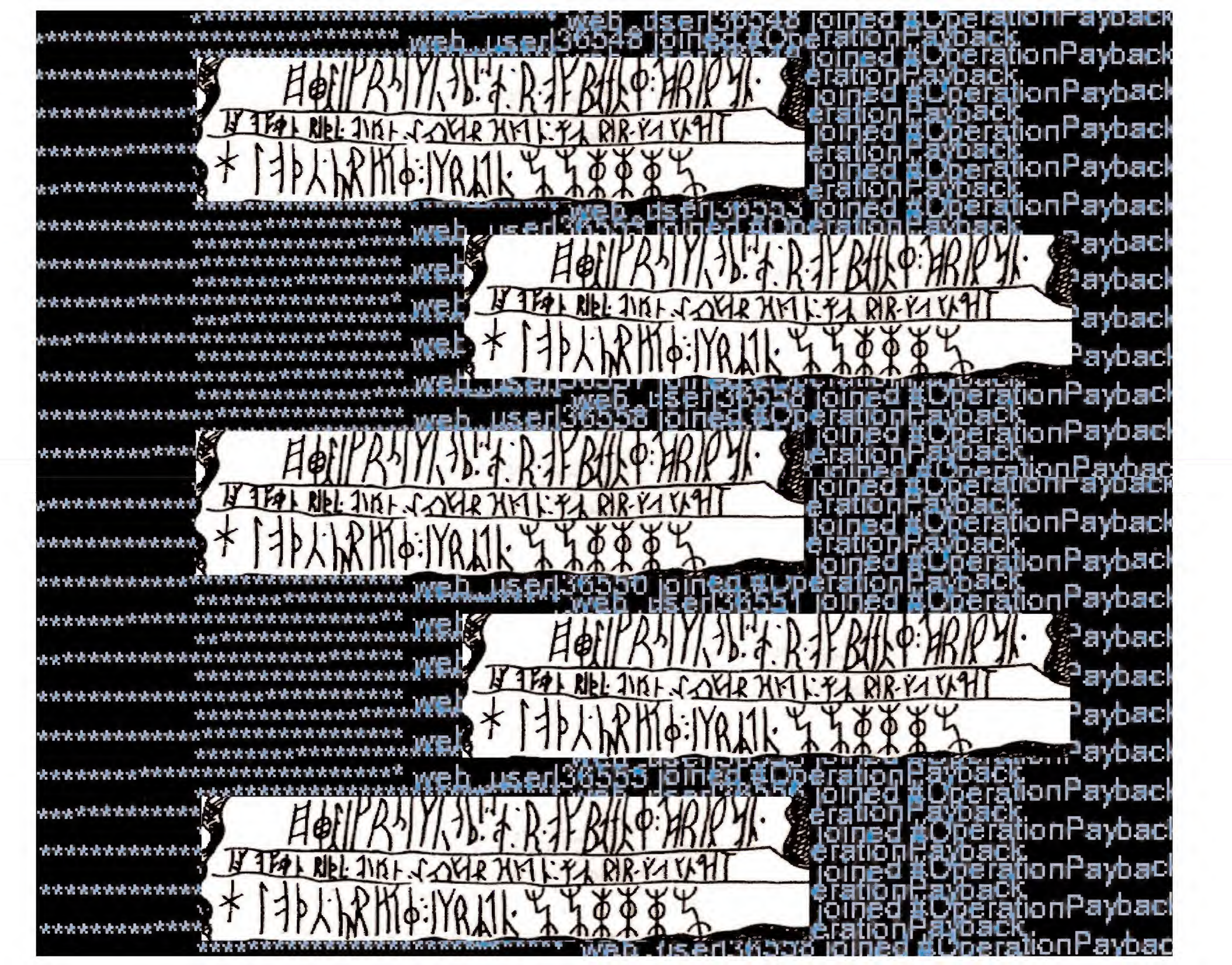




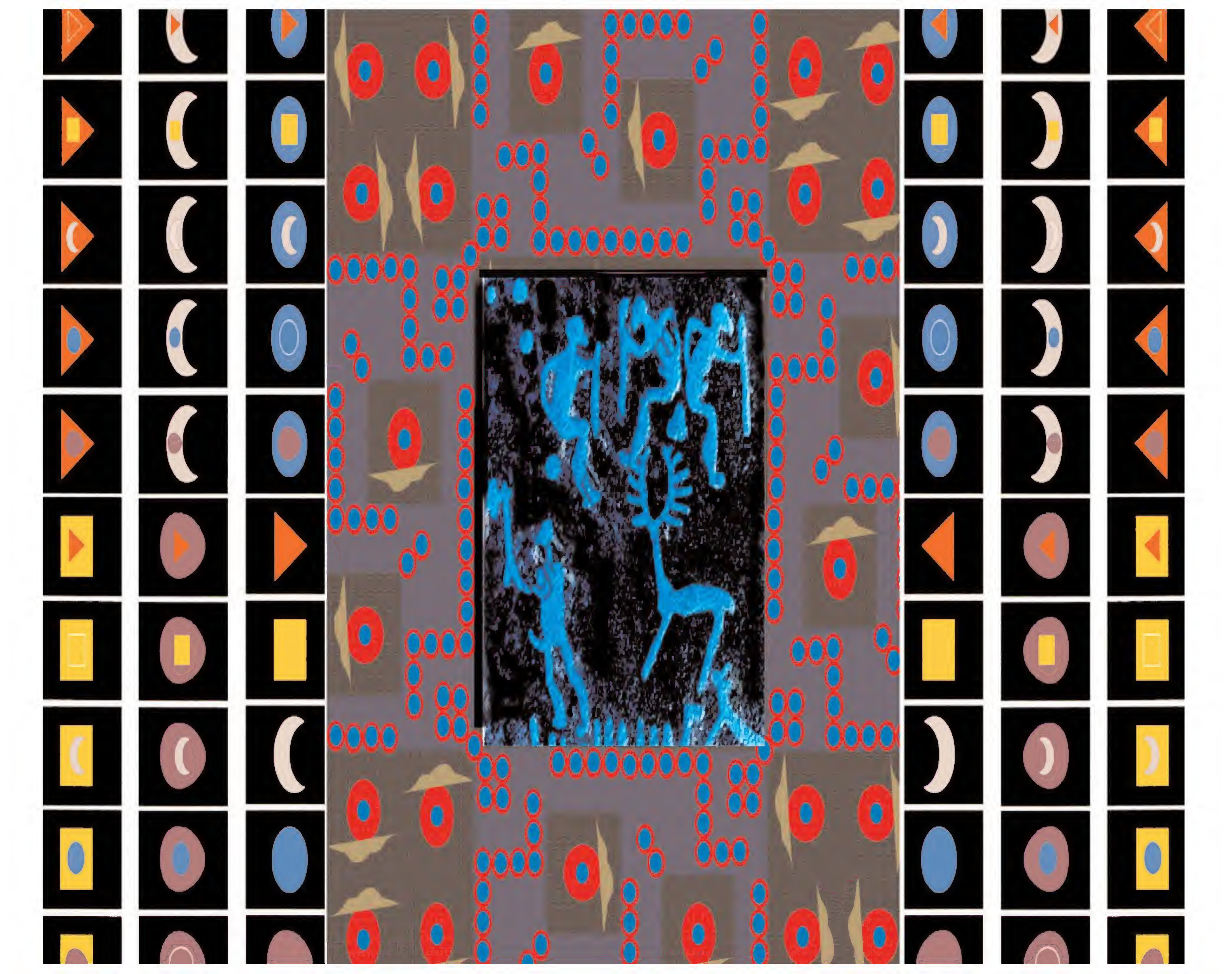


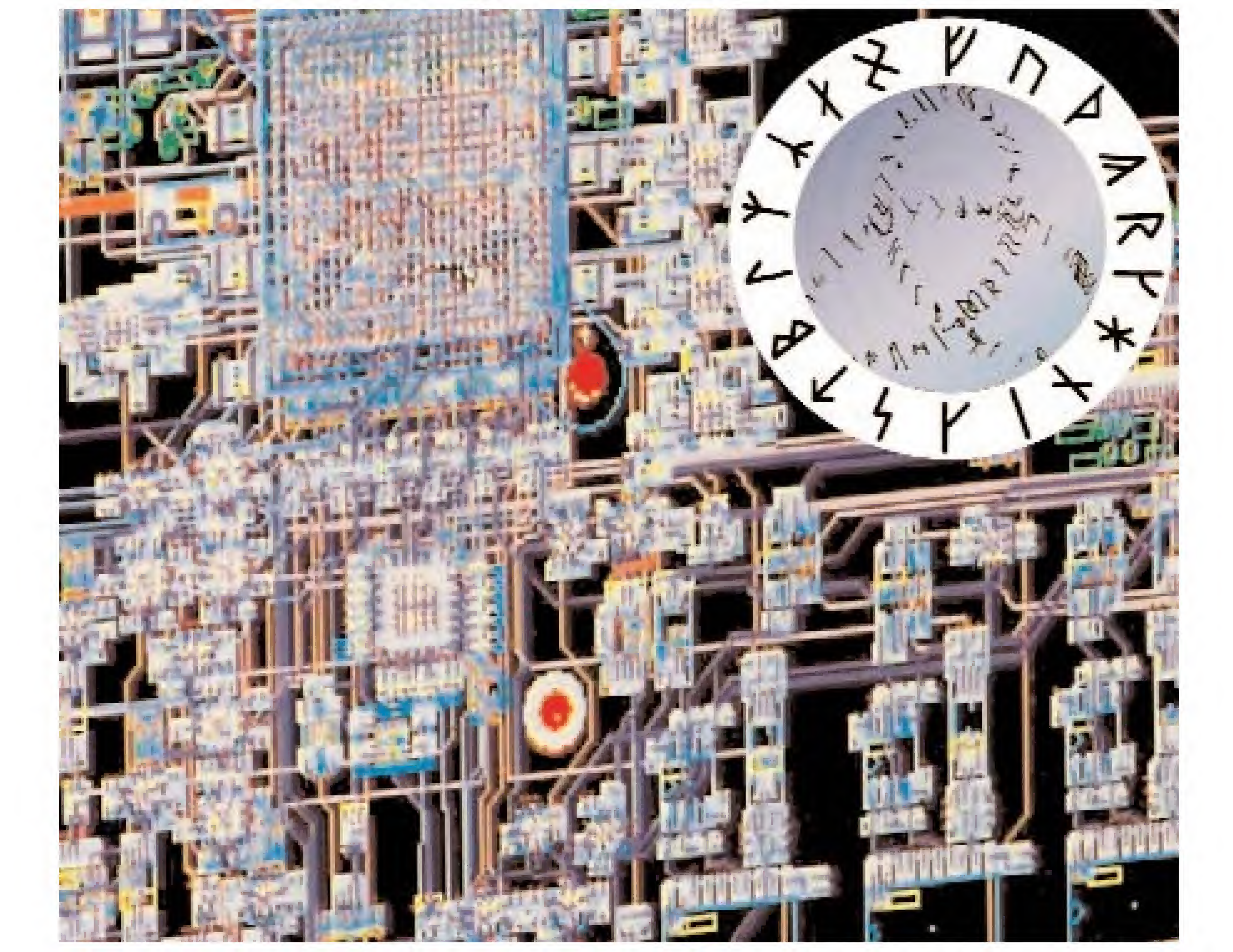
metalx1€ p/sercrets txt
metalx1€ p/sercrets txt
Hello Wo
I have a
I like t
and I Lo e Linux...a SH
metalx1€ 0@mybox /tm -salt -
ercrets. xt
enter ae
Verifyir
metalx1€
msg.txt
metalx1€
U2FsdGVk
bgJEoI7F njuqUSbQwHa andCs HsBEzVWSwfn
b4rZuOKl Vvx693M8WSc
metalx1€

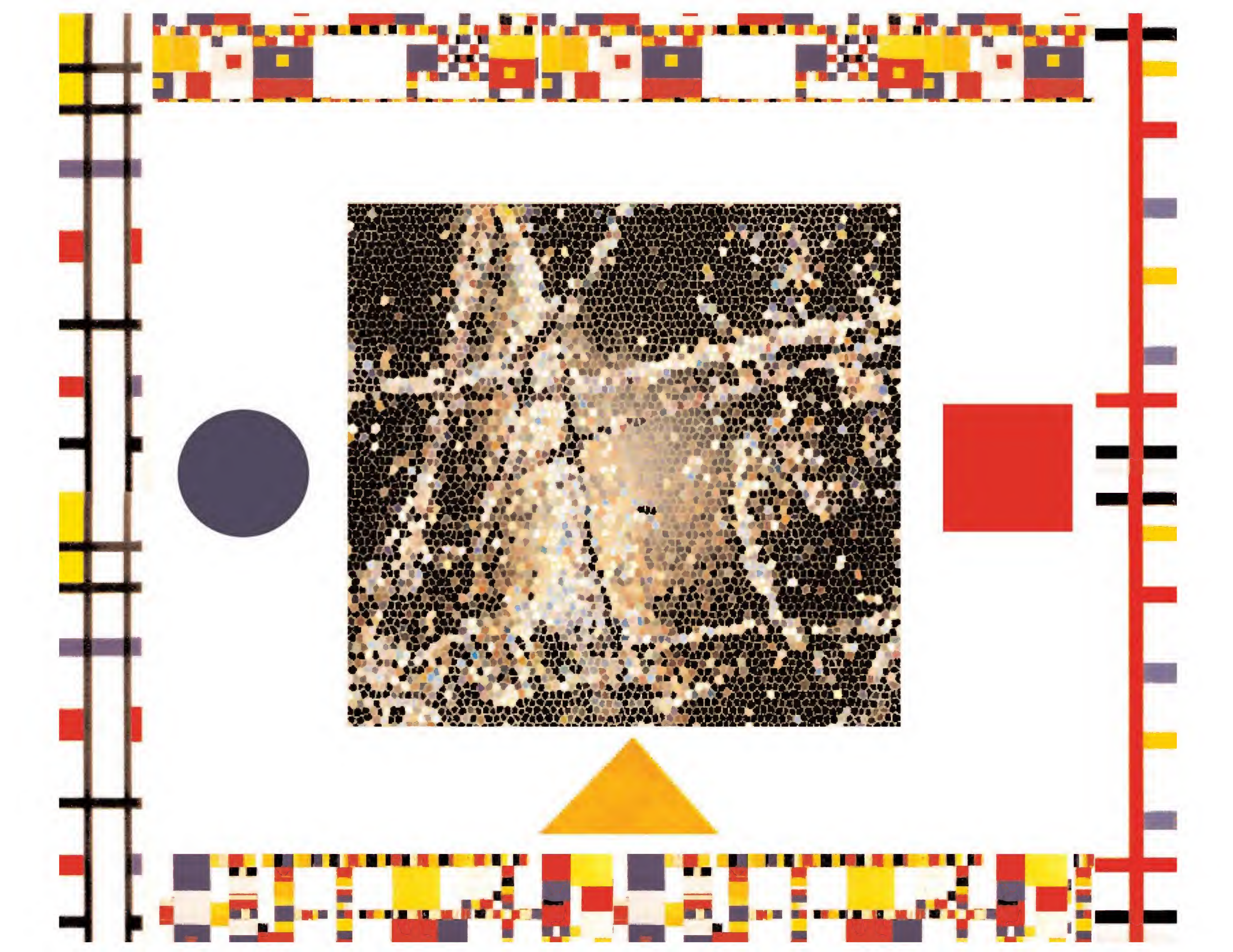

Microsoft Excel
A1
종류
종류 숫자
컴퓨터 274
뉴스 94
정치 84
경제 74
만화 64
경영 62
영화 55
사진 48
음식 43
일상 40
쇼핑 40
여행 39
게임 38
음악 34
스포츠 33
팟캐스트 24
도서 22
어학 21
동영상 16
연예 15
문화 14


web_user136548 joined #OperationPayback

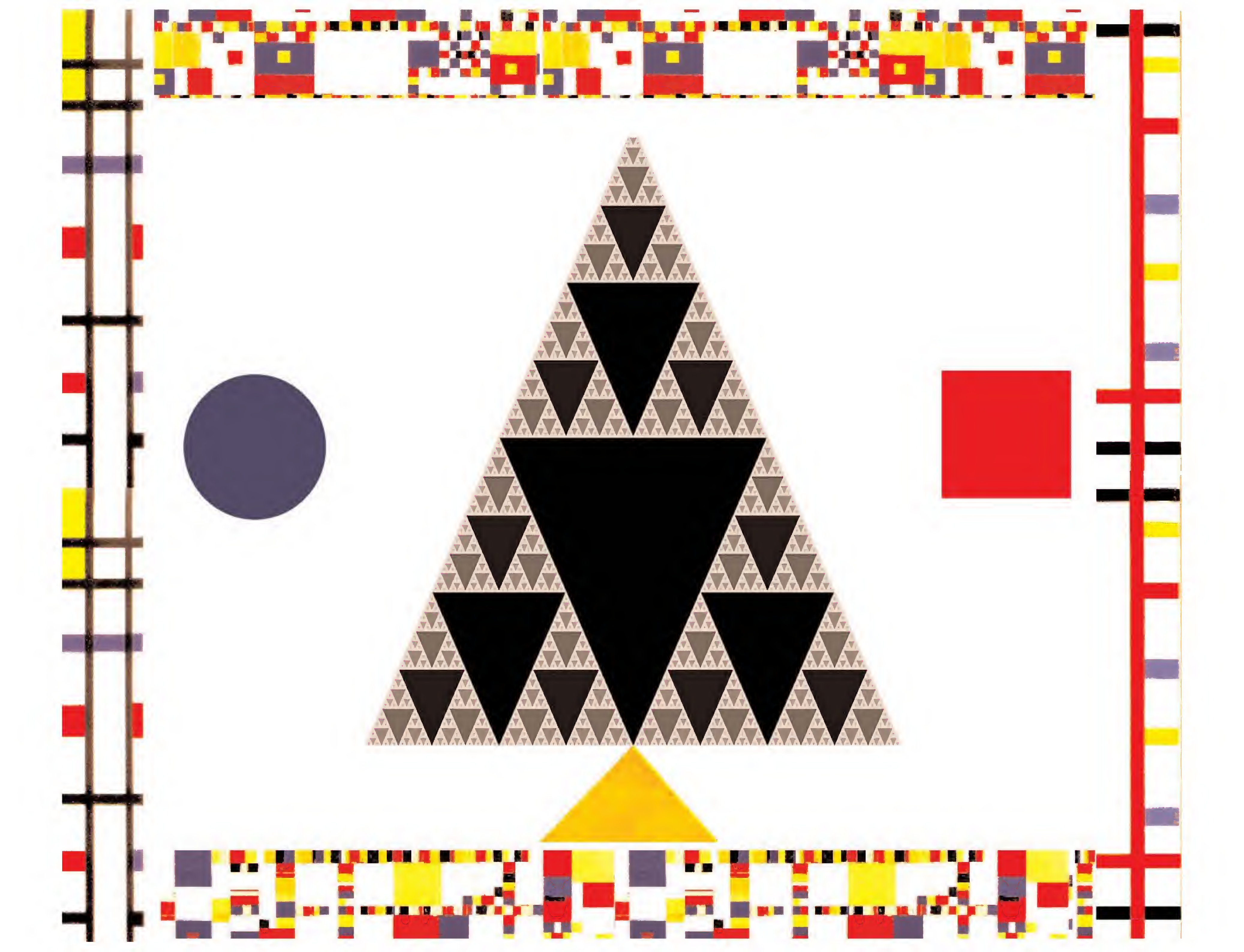






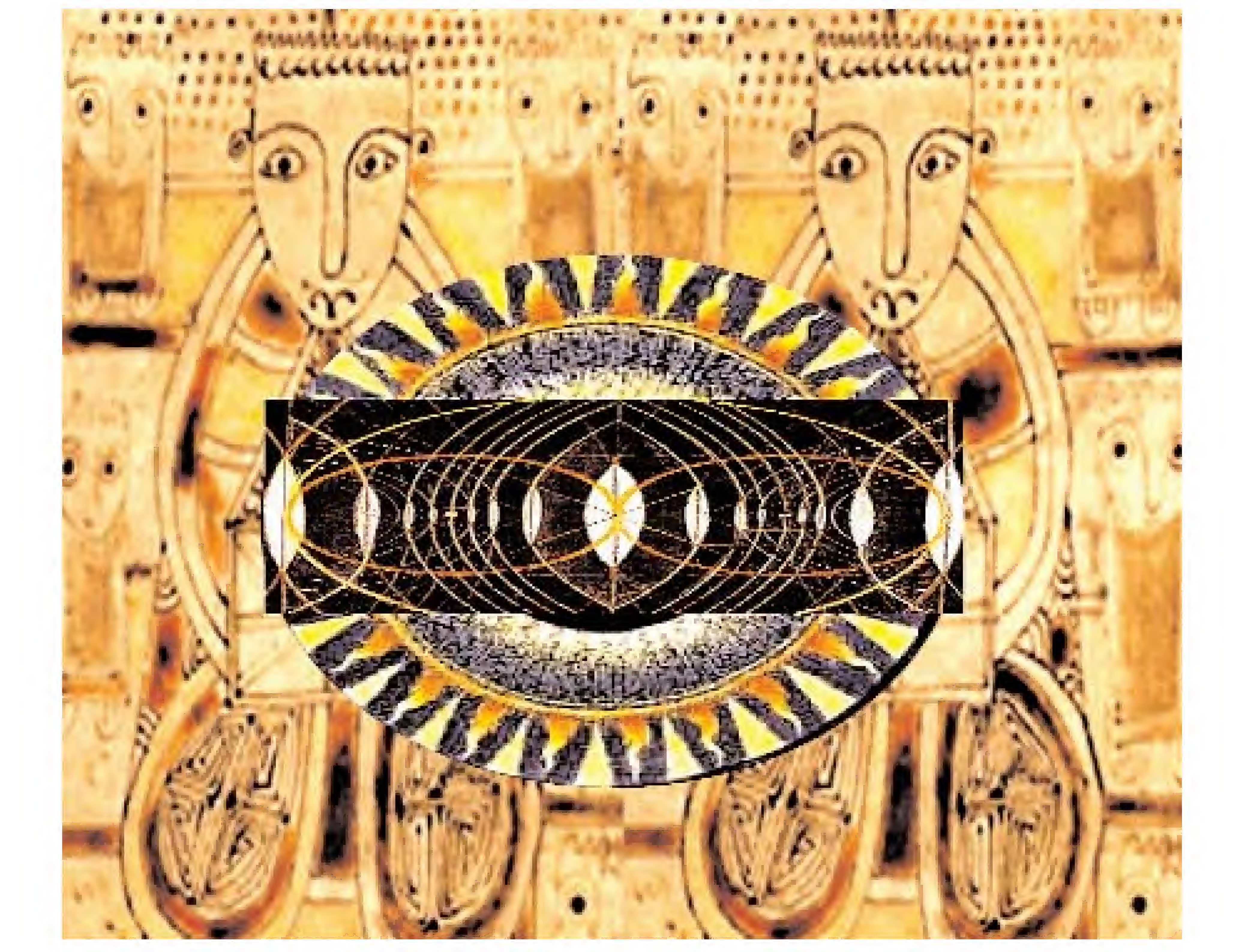


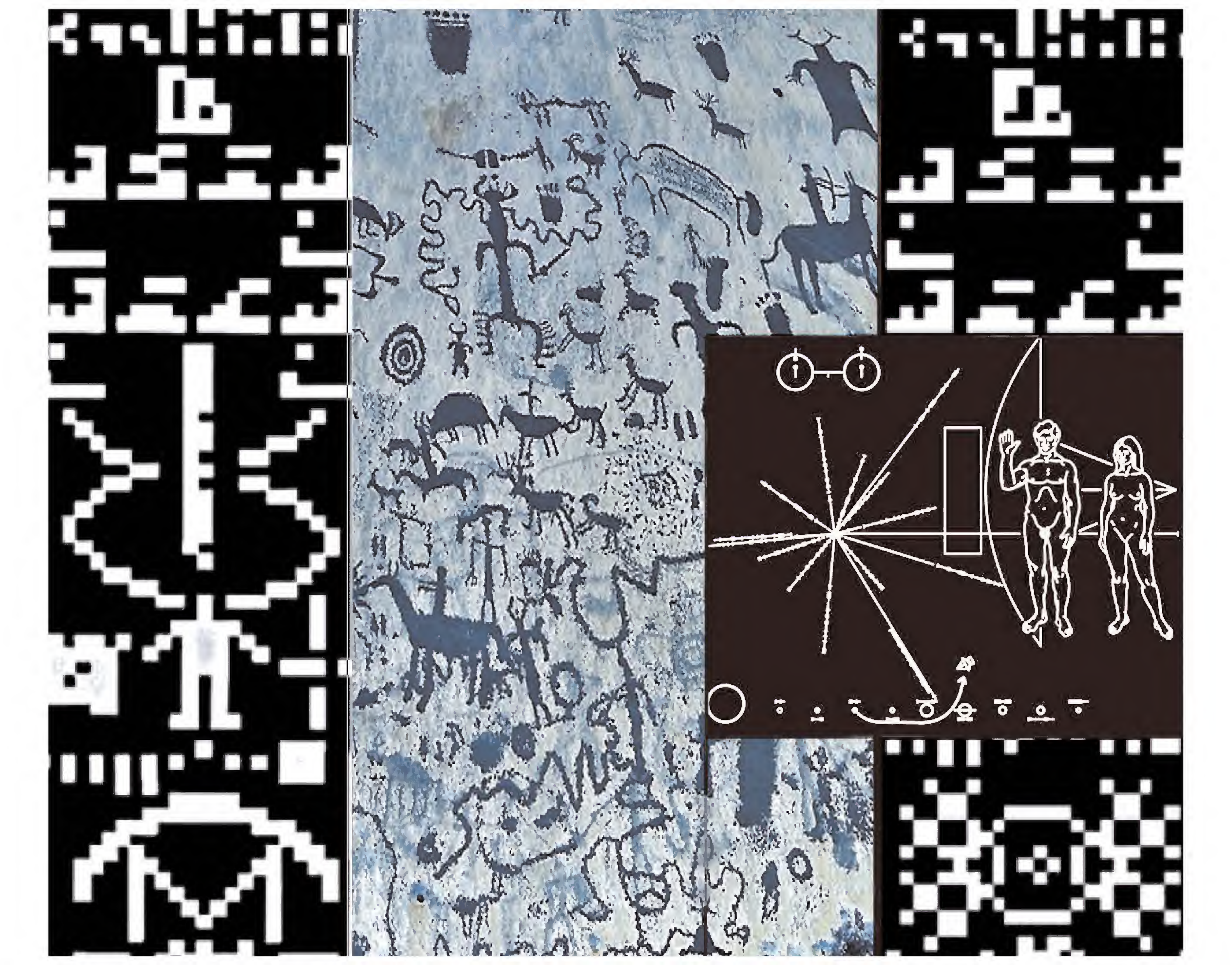


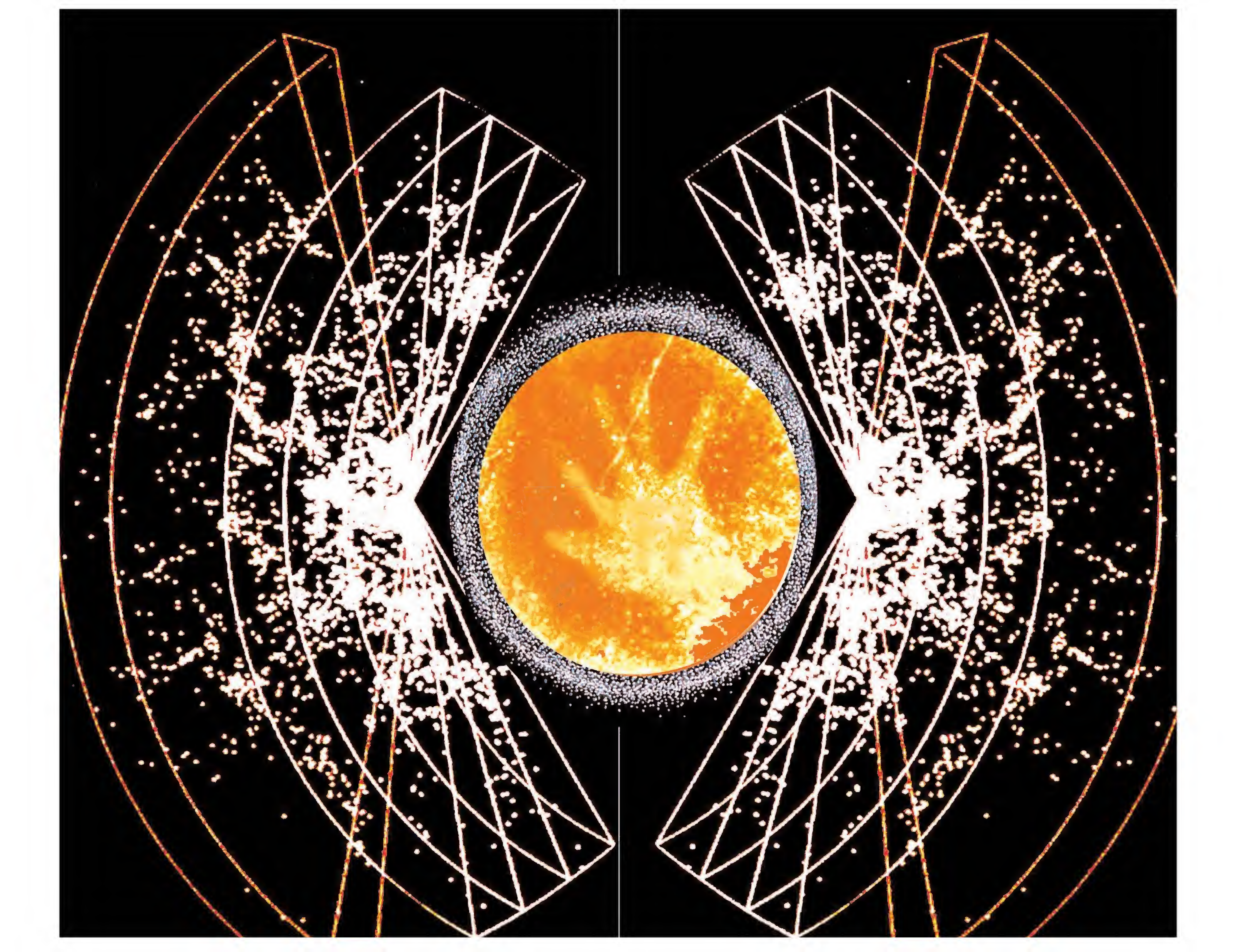


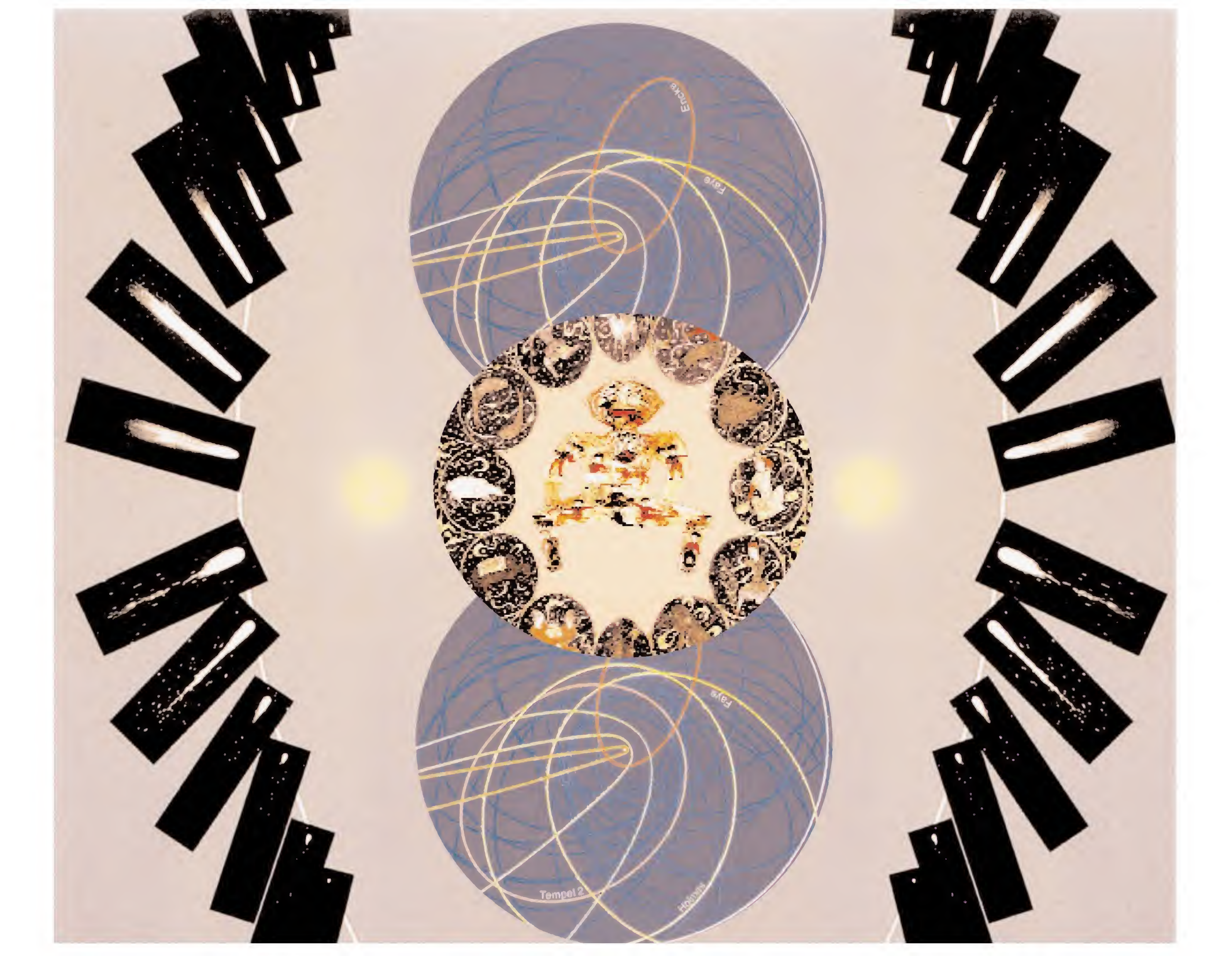


Modern Physics
S.I. units
Mass - kg
Kinematics - the study of the motion w/o regard to its causes
Velocity - the speed of an object and the direction the object is moving
Displacement (m)
x = position
Position vs Time
Velocity vs. Time
Inverse Tangent
3rd Law
Rules of Projectile Motion








Encke
Faye
Faye
Tempel 2
Holmes



